

MULTI-ECHELON TRANSPORTATION LOCATION AND ROUTING PROBLEM FOR DESIGNING SCHOOL LUNCH DISTRIBUTION NETWORK

ECE UYAR

## ÇANKAYA UNIVERSITY

## GRADUATE SCHOOL OF NATURAL AND APPLIED SCIENCES

DEPARTMENT OF INDUSTRIAL ENGINEERING
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# ABSTRACT <br> MULTI-ECHELON TRANSPORTATION LOCATION AND ROUTING PROBLEM FOR DESIGNING SCHOOL LUNCH DISTRIBUTION NETWORK 

UYAR, Ece<br>M.Sc. in Industrial Engineering

Supervisor: Assist. Prof. Dr. Ayyüce AYDEMİR KARADAĞ

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The National School Lunch Program (NSLP) provides school children nutritious lunches. NSLP benefits health, obesity, and school attendance rates. Developing a distribution network for the program requires solving the multi-echelon transportation location and routing problem to design a distribution network. The first two echelons comprise the distribution of agricultural products from farmers to food processing centers (FPCs) through distribution centers (DC). The third echelon involves determining the locations of food processing centers and routes between schools as part of a multi-depot location routing problem. Since the consider problem is NP-Hard, we propose a two-stage solution approach. We aim to minimize the total transportation cost in all echelons and the fixed costs of distribution and food processing centers. A Simulated Annealing Algorithm (SA) is used in the first stage of the process to handle the routing decisions of the third echelon. As part of the second stage, a mixed-integer linear mathematical model is presented that determines the locations of the distribution centers and provides a solution to the transportation problem at the first echelon. Several hypothetical problems are used to test the performance of the proposed method. According to the computational results, SA can
be considered an effective and efficient solution algorithm that reduces the computational cost and enhances the quality of the solution.

Keywords: School Lunch Program, Multi-Echelon Transportation Location and Routing Problem, Simulated Annealing Algorithm

# OKUL ÖĞLE YEMEĞİ DAĞITIM AĞI TASARIMI İÇİN ÇOK AŞAMALI ULAŞTIRMA YER SEÇİMİ VE ROTALAMA PROBLEMİ 

UYAR, Ece<br>Endüstri Mühendisliği Yüksek Lisans

Danışman: Dr. Öğr. Üyesi Ayyüce AYDEMİR KARADAĞ

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Ulusal Okul Öğle Yemeği Programı (NSLP) aracılığıyla öğrencilere besleyici öğle yemekleri sağlanır. NSLP sağlık, obezite ve okula devam oranlarına fayda sağlar. Program için bir dağıtım ağı tasarlamak ve geliştirmek için çok kademeli ulaşım yeri ve rotalama problemi çözmeyi gerektirir. İlk iki kademe, tarımsal ürünlerin çiftçilerden dağııım merkezleri (DC) aracılığıyla gıda işleme merkezlerine (FPC) dağıtımını içermektedir. Üçüncü aşama, çok depolu yer seçimi ve rotalama probleminin bir parçası olarak gıda işleme merkezlerinin konumlarının ve okullar arasındaki yolların belirlenmesini içerir. Bu problem NP Hard olduğundan bu problemi çözmek için iki aşamalı bir çözüm yaklaşımı öneriyoruz. Amacımız, tüm kademelerdeki toplam nakliye maliyeti ile dağıtım ve gıda işleme merkezlerinin sabit maliyetlerini en aza indirmektir. Üçüncü kademenin yönlendirme kararlarını işlemek için sürecin ilk aşamasında bir Tavlama Benzetimi (SA) Algoritması kullanılır. İkinci aşamada, dağıtım merkezlerinin yerlerini belirleyen ve birinci kademedeki ulaşım problemine çözüm sağlayan bir karma tamsayılı doğrusal matematiksel model sunulmuştur. Önerilen yöntemin performansını test etmek için çeşitli varsayımsal problemler kullanılmıştır. Hesaplama sonuçlarına göre SA, hesaplama maliyetini azaltan ve çözüm kalitesini artıran etkili ve verimli bir çözüm algoritması olarak kabul edilebilir.

Anahtar Kelimeler: Okul Öğle Yemeği Programı, Çok Aşamalı Ulaştırma Yer Seçimi ve Rotalama Problemi, Tavlama Benzetimi Algoritması

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## LIST OF SYMBOLS AND ABBREVIATIONS

| DC | : Distribution Center |
| :--- | :--- |
| FLP | : Facility Location Problem |
| FPC | : Food Preparation Center |
| GA | : Genetic Algorithm |
| HGA | : Hybrid Genetic Algorithm |
| HHS | : Hybrid Harmony Search |
| LRP | : Location Routing Problem |
| MDVRP | : Multi Depot Vehicle Routing Problem |
| MILP | : Mixed Integer Linear Problem |
| MIP | : Mixed Integer Problem |
| M-NSGA-II | : Modified Non-Dominated Sequence Genetic Algorithm-II |
| MOGWO | : Multi-Objective Grey Wolf Optimizer |
| MOHCGA | : Hybrid Cultural and Genetic Algorithm |
| MOLAHC | : Multi-Objective Late Acceptance Hill-Climbing Algorithm |
| MOPSO | : Multi-Objective Particle Swarm Optimization |
| MOWCA | : Multi-Objective Water Cycle Algorithm |
| NNSA | : Nearest Neighbor Search Algorithm |
| NSGA-II | $:$ Non-Dominated Sorting Genetic Algorithm |
| NSLP | : National School Lunch Program |
| PROMETHEE | : Preference Ranking Organization Method for Enrichment |
|  | Evaluation |
| PSO | : Particle Swarm Optimization |
| TLRP | : Transportation Location Routing Problem |
| VRP | : Vehicle Routing Problem |

## CHAPTER I

## INTRODUCTION

The National School Lunch Program (NSLP) is a program that provides free or low-price meals to students in public primary schools. NSLP offers healthy nutrition for students and aims to prevent unhealthy eating habits that poor students are exposed to more. It is important to avoid the development of health problems due to malnutrition that students may have in the future and to protect students from obesity which has become a big problem in recent years. Healthy-fed children play an active role especially in school activities. This also contributes to the success of children in lessons.

While in already developed countries, the school meal is a source of nutritious meals, in developing countries, it is an incentive to send children to school and continue their education. In developing countries, school meals provide food security during crises and help children to become healthy and productive adults, thus helping to break the cycle of poverty and hunger. According to the calculations, about 16 percent of a child's total food consumption can be met through the school lunch program (Bundy et al. 2009). Also, this corresponds to approximately 10 percent of the expenditure on children of a low-income family (Candaş et al. 2011).

The National School Lunch Program Act was first promulgated in the United States in 1946. The law's purpose is to protect children's health and encourage local consumption of agricultural products (Gunderson 2003). The procurement of domestic producers contributed to the consumption of healthy foods and farmers economically. After the NSLP was a success, in 1966, the Child Nutrition Act was enacted. The goal of this program was to improve NSLP to satisfy the nutritional needs of kids. With this program, school meal services were combined under a single institution. Contributed to ensuring uniform nutritional standards and program continuity. In 1970, some changes were made to the National School Lunch Program Act. Based on families'
economic level, national standards were established to determine who was eligible for free and reduced school lunches (Murugaswamy 2011).

NSLP is being implemented in more than a hundred countries around the world with different levels of development, as it increases children's development and success and is beneficial in many other aspects (Candaş et al. 2011). There are some applications in the world are given in Table 1.

Table 1: Some Applications of the School Lunch Program Around the World

| Since | Country |
| :---: | :---: |
| 1890 | Norway |
| 1900 | Japan |
| 1914 | Ireland |
| 1920 | Chile \& India |
| 1937 | Sweden |
| 1939 | United States |
| 1955 | Brazil |


| Since | Country |
| :---: | :---: |
| 1980 | Norway |
| 1984 | Japan |
| 1987 | Ecuador |
| 1994 | Pakistan |
| 2005 | Haiti |
| 2007 | Malawai |
| 1955 | Afganistan |

The benefits of school meals vary from country to country. America, Mexico, Chile, and India are some countries that apply for this program in different ways. For example, in Mexico, children are selected based on their income levels, so only those selected are eligible to benefit from this program. Since this causes selected children of primary school age to feel excluded, discriminated, and humiliated, it is more appropriate to apply this program to children in a region or school rather than selecting students individually (Murugaswamy 2011). In Chile, this program is implemented in most schools in poor districts and neighborhoods in densely populated areas (Candaş et al., 2011). This program will be more successful if it is supported by the state, together with the incorporation of the Ministry of Education and the Ministry of Health (Murugaswamy 2011).

- Motivation of the Study

The milk distribution program was implemented in Turkey during the 20162017 academic year. Although the school lunch distribution program wasn't implemented, we know that a school lunch distribution program is planned. The Minister of National Education previously announced that it would start to be implemented in the 2020-2021 academic year, but it could not be implemented due to the pandemic. What motivates us in this study is the benefits of NSLP mentioned above and the planning of its implementation in Turkey. Many decisions must be made in designing the school lunch distribution network system. There should be a late due to the covid pandemic. However, it is still necessary to conduct how the school lunch distribution system is designed.

- Scope of the Study

The School Lunch Program involves supplier selection, network distribution, location of facilities, logistics, etc., and decisions to develop a food supply chain (Murugaswamy 2011). This problem can be defined as a multi-echelon transportation location and routing problem. It includes the distribution of products from farmers to food processing centers (FPC) via distribution centers (DC), the location of FPCs, and determining routes between schools.

In this thesis, we focused on three echelon transportation location and routing problems. The first and second echelons involve the distribution of products from farmers to DCs and from DCs to FPCs. The locations of DCs are determined. There is a multi-depot location routing problem in the third echelon. The third echelon determines the locations of FPCs, from which FPCs schools receive service, and the route of the vehicles from the opened FPCs to the schools.

- Originality of the Study

We propose a two-stage solution approach to solve this problem. We offer a Simulated Annealing Algorithm (SA) to solve the problems in the third echelon. We used four different operators and tried to improve our solutions. Our proposed SA algorithm generates feasible solutions. Since the location decisions are given by the proposed SA, the problem considered in the first and second echelons can be regarded as a transportation location problem. We present a mixed integer programming formulation to solve the transportation location and routing problem. To the best of the authors, there are no studies in the literature that focus on the National School Lunch Distribution Problem in this respect and propose solution algorithms.

The remainder of the thesis is organized as follows. Chapter II provides an overview of location routing problems. Chapter III presents the relevant transportation, location and routing literature. We then give the problem definition and mathematical formulations in Section IV. The solution methodology is summarized in Section V. We provide computational results in Section VI. Finally, the conclusion and future works have been given in Chapter VII.

## CHAPTER II

## OVERVIEW OF LOCATION ROUTING PROBLEMS

Location routing problems (LRP) are one type of network design problem. The LRP deals with the combination of the facility location problem (FLP) and the vehicle routing problem (VRP) (Nasrollahi et al. 2018). Since both problems are NP-hard, the location routing problem is classified as an NP-hard problem.

### 2.1. FACILITY LOCATION PROBLEMS

Facility location problems focus on the size, equipment, and number of facilities to be established. It includes decisions about closing and relocation of existing facilities, as well as decisions about their size.

### 2.1.1. Classification of Facility Location Problems

Facility location problems for distribution designing can be classified as follows;

- Capacitated \& Un-capaticated

Capacitated refers to a facility that has no demand constraints. There may be limitations on the number of products in depots. It is an un-capacitated facility location if a facility has an infinite capacity.

- Continuous \& Discrete

A location problem that explores every possible location along a space continuum or plane is called a continuous location problem. A locating problem that chooses from a finite number of potential candidate facilities is called a discrete location problem.

- Single Commodity \& Multi Commodity

In single-product models, capacity, demand, and cost for several products can be aggregated into a homogeneous product. If the products are not homogeneous, the demand and capacity must be considered separately for each product in the model.

- Single-Stage \& Multi-Stage

Single-stage location problems involve distributing products from only one stage of the supply chain to customers. In the multi-stage location problem, the distribution activities of the products involve more than one stage. For example, the distribution of products from the manufacturer to the customer through the distributor is a multi-stage problem.

- Deterministic \& Stochastic

If the inputs and outputs of the model are known, they are called deterministic models. If the model inputs and outputs are uncertain, they are called stochastic models.

- Static \& Dynamic

Static location models are resolved for a specific time in the planning horizon. However, dynamic models are time dependent. Dynamic location models include cost, demand, capacities, etc., which change over time within a given planning horizon.

### 2.2. VEHICLE ROUTING PROBLEMS

A Vehicle Routing Problem (VRP) is a type of problem in which the product or service is delivered to customers from a particular center. It is a combinatorial optimization problem in which the routes that enable the vehicles to return to the center are determined.

VRP was first introduced to the literature by Dantzig and Ramser in 1959. In this study, they focused on the problem of distributing gasoline to gasoline stations where transportation costs are minimized. They established the first linear mathematical model to solve the problem. Later, different scenarios were added to this problem, and various solution methods were developed by diversifying the problem (Garic 2008).

In addition, VRP is similar to the Traveling Salesman Problem (TSP). TSPP is the most basic and most studied version of VRP. The difference between them is that in TSP the traveling salesman has no capacity, so that a single seller can serve all customers (Ho et Al. 2008; Magnanti 1981).

In VRP, it is studied to determine the best routes to be followed by a vehicle fleet serving a particular customer group. The solution to classical VRP problems is a set of routes, where each route starts from the warehouse and ends with the warehouse.

While determining the routes to be created between the warehouse and the customers, the VRP should meet the following conditions (Cordeau et al. 2002).
i) Each route starts and ends at the warehouse.
ii) Each customer is visited once by a vehicle.
iii) The total demand of each route cannot exceed the vehicle capacity.
iv) The total routing cost is minimized. (The factors that create the cost are the distance traveled, the duration of use of the vehicle and other elements, transportation costs, etc.)

In addition, some side constraints may need to be provided depending on the type of problem. The most common side constraints are; capacity constraint, maximum possible demand point constraint on a route, total time constraint of the vehicle on a route, time window constraint at which service to demand points can be started, priority constraint where a demand point must be visited before another demand point (Laporte 1992).

In vehicle routing problems, if the values of the parameters are known beforehand, it is defined as a deterministic vehicle routing problem. It is defined as a
stochastic vehicle routing problem if these parameters are unknown. In stochastic VRP, time, demand, and customers can get stochastic values. Vehicle routing problems take different names according to the added constraints.

- Capacity-constrained VRP

Capacity-constrained VRP is the most basic form. It is the most used deterministic VRP type, and customer demands are deterministic. The demands of all customers are met from a single warehouse, and the vehicles have the same capacity. The total order of customers assigned to a route cannot exceed the vehicle capacity. The objective is to determine vehicle routes that minimize the total cost so that all customers are served (Toth 2001).

- Distance-restricted VRP

Distance-restricted VRP is the distance vehicles in a depot can travel on a limited route. In other words, it does not allow a tour to exceed the predetermined maximum route length.

- Time Window VRP

In VRP, with a time window, there is a time interval for each customer that the vehicle can visit the customer. It is necessary to start the service within this time interval. When serving customers, the earliest and latest service times are defined. A vehicle cannot be sent to the customer after the latest service time; if it arrives before the earliest service time, it will be held until that time. Thus, for each customer, there is a certain service time for distribution or product collection (Desrochers et al. 1992).

- Partial Distributed VRP

In partially distributed VRP, it is allowed to meet the demand of the same customer from more than one vehicle to reduce the cost. Customer demand may be greater than the vehicle capacity. However, the total demand of each route cannot exceed the vehicle capacity. In this case, the orders of the customers are divided into vehicles (Jin et al. 2008).

## - Periodic VRP

In the periodic VRP, the visiting plan for a certain period is made. The number of services to be made to customers varies according to the demand amounts of the customers and their stock areas. By determining the customers to be visited for each day, vehicle routes are generated to ensure cost minimization. If the demand amount of a customer is very high, it will be visited more than the customer with a small
amount of demand, or if the stocking area is small, it will be visited more than the customer with a large amount (Hemmelmayr et al. 2007).

- Pick-up and Delivery VRP

In pick-up and delivery VRP, a product can be delivered to or received from a customer simultaneously. The orders to be delivered are assigned to customers from warehouses. The customers' orders that need to be delivered to the warehouse are picked up at the same time. Attention is paid to the capacity as collection and distribution are done simultaneously. Since vehicles can do distribution and collection together along their routes, it is difficult to maintain vehicle capacity at all times. The amount of product to be delivered to each customer or the amount to be collected is known in advance (Bianchessi 2007).

- VRP with Customer Priority Rules

In VRP with Customer Priority Rules, there are situations where customer priorities are different. This problem ensures that priority customers are served earlier.

- Multi-depot VRP

In Multi-depot VRP, the problem is expanded, and service is provided from more than one warehouse. Customers are assigned to each warehouse, and routes are determined for each warehouse. Every vehicle has to return to the depot from which it moved.

### 2.2.1. Vehicle Routing Problems According to Route Status

- Open-ended VRP

In Open-ended VRP, vehicles that leave the warehouse do not return to the warehouse after serving customers. That is, the routes terminate at the customer.

- Closed-ended VRP

In closed-end VRP, vehicles leaving the warehouse return to the warehouse after serving customers. That is, the starting and ending points of the routes are the same.

### 2.2.2. Vehicle Routing Problems According to The Environmental Situation

- Static VRP

In static VRP, all information is available at the beginning of the problem, and it is assumed that environmental conditions do not change over time. In such problems,
all necessary information (such as constraints, demands, capacities, cost information, etc.) is known before to the problem's solution, and this information does not change during the solution phase of the problem, it is fixed (Larsen 2001).

- Dynamic VRP

In dynamic VRP, most of the information, such as vehicle travel and service time, customer demand, and customer geographic location cannot be predicted from road optimization. This information is dynamic, new information may occur, or existing information may change.

### 2.2.3. Vehicle Routing Problems According to The Road Situation

- Symmetric VRP

In symmetric VRP, the distances traveled by a vehicle between two points on the route are equal (Erol 2006).

- Asymmetric VRP

In asymmetric VRP, the distances traveled by a vehicle between two points on the route are different from each other (Erol 2006).

### 2.2.4. Vehicle Routing Problems According to Vehicle Fleet

- Homogeneous VRP

In homogeneous VRP, the vehicle fleet consists of vehicles with the same capacity.

- Heterogeneous VRP

In heterogeneous VRP, the vehicle fleet consists of heterogeneous vehicles with different capacities. Vehicles may also have other limitations, such as load capacity, fuel consumption, maximum distance, and loading and unloading.

## CHAPTER III

## LITERATURE REVIEW

In this study, we have focused on the multi-echelon transportation location and routing problem and its implementation in the school lunch distribution design. Our problem is divided into two. Initially, the first and second echelon involves transportation location problem. Secondly, the third echelon is a multi-depot location routing problem. Therefore, we have reviewed the relevant literature using the keywords including; multi-echelon, multi-depot location routing problems, fresh and perishable food distribution, and simulated annealing algorithm. We restricted our literature review to studies between 2010 and 2022 because there are numerous studies on location routing problems. The summary of the literature for important characteristics of the problem is given in Table 2.

Table 2: Summary Table of the Literature Review

| Authors | Year | Objective |  | Product | Location | Routing | Inventory | Transportation | Time Windows | Service Time | Multi <br> Depot | Solution Method |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Single | Bi/Multi |  |  |  |  |  |  |  |  |  |
| Murugaswamy | 2011 | + | - | Perishable | + | + | - |  |  |  | + | K-Means Clustering Method |
| Govindan | 2014 |  | + | Perishable | + | + |  |  | + |  | + | MHPV |
| Martinez- <br> Salazar | 2014 |  | + | Single | + | + |  | + |  | + | + | $\begin{gathered} \text { SSPMO \& } \\ \text { NSGA II } \end{gathered}$ |
| Ghezavati | 2015 | + |  | Perishable | + | + | + | + | + |  | + | Benders Decomposition Method |
| Vidovic | 2016 | + |  | Waste | + | + |  |  | + |  | + | MILP \& Proposed Heuristics |
| Kouchaksaraei | 2017 | + | + | Blood | + | + | + |  | + | + | + | Robust Optimization $\&$ Goal Programming |
| Majd | 2017 | + |  | Perishable | + | + | + |  |  |  | + | Lagrangian Relaxation Algorithm |
| Hiassat | 2017 |  | + | Persihable | + | + | + |  |  |  |  | GA |
| Rabbani | 2018 |  | + | Multi | + | + |  | + | + | + | + | $\begin{aligned} & \text { NSGAII \& } \\ & \text { MOPSO } \end{aligned}$ |
| Pichka | 2018 | + |  | Single | + | + |  |  |  |  | + | MIP + Hybrid Metaheuristic |

Table 2 continued

| Authors | Year | Objective |  | Product | Location | Routing | Inventory | Transportation | Time Windows | Service Time | Multi <br> Depot | Solution Method |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Single | Bi/Multi |  |  |  |  |  |  |  |  |  |
| Wang | 2018 |  | $+$ | Multi | + | + |  |  | + |  | + | GA |
| Vahdani | 2018 |  | + | Multi | + | + | + |  | + |  | + | $\begin{aligned} & \hline \text { NSGAII \& } \\ & \text { MOPSO } \end{aligned}$ |
| Farrokhi | 2018 |  | + | Waste | + | + |  | + |  | + | + | MOHCG |
| Dai | 2018 | + |  | Perishable | + |  | + |  |  |  |  | HGA \& HHS |
| Ghomi | 2019 |  | + | Perishable | + | + | + | + |  | + | + | Hybrid Metaheuristic |
| Saragih | 2019 | + |  | Single | + | + | + |  |  | + | + | SA |
| Dai | 2019 | + |  | Single | + | + |  |  |  |  | + | A Two-Phase Method based on Improved Clarke and Wright Savings Algorithm |
| Amini | 2020 |  | + | Single | + | + |  | + |  | + | + | NSGA-II \& MOLAHC |
| Masoudipour | 2020 |  | + | Single | + | + |  | + |  |  | + | Augmented Epsilon Constraint Method |

Table 2 continued

| Authors | Year | Objective |  | Product | Location | Routing | Inventory | Transportation | Time Windows | Service Time | Multi <br> Depot | Solution <br> Method |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Single | Bi/Multi |  |  |  |  |  |  |  |  |  |
| Safari | 2020 |  | + | Single | + | + | - | + |  |  | + | MOGWO \& MOPSO \& MOWCA \&NSGA-II |
| Yu | 2020 |  | + | Waste | + | + |  | + |  |  | + | INSGA-DLS |
| Liu | 2021 |  | + | Waste |  |  |  | + |  |  | + | CW-ALNS |
| Guillen | 2021 | + |  | Single | + | + |  |  |  |  | + | Metaheuristic |
| Sherif | 2021 | + |  | Single | + | + | + | + |  |  | + | SA |
| This Study |  | + |  | Perishable | + | + |  | + |  | + | + | MIP \& SA |

Facility Location Problem (FLP) and Vehicle Routing Problem (VRP) should be combined to address decisions of location and routing, which results in Location Routing Problem (LRP). The problem has various applications in the real world, such as in the blood supply chain, food supply chain, waste collection, and humanitarian logistics. Our problem includes location, routing, and transportation decisions, simultaneously. It is called a Transportation Location Routing Problem. The problem was first proposed by Martinez Salazar et al. (2014). They presented a new bi-objective model for the LRP problem. They evaluated two objectives to minimize overall network costs and create balanced routes. Two metaheuristic methods were proposed to solve this problem, demonstrating that the algorithms presented worked efficiently when applied at large scales. However, unlike our problem, Martinez-Salazar et al. (2014) have a two-echelon network. The first echelon involves the distribution of products from the plants to established distribution centers. In the second echelon, location and routing decisions are given. In our problem, there are multi-echelons. Also, in our thesis, the time of arrival at school is important, since lunch has to be ready at a certain time. Therefore, we have considered the service time.

In this thesis, we review and present the most relevant literature addressing transportation location routing and multi-depot location routing problems. We first review the studies that focus on transportation location routing problems. Ghezavati et al. (2015) consider the freshness and maturity of products in the multi-stage distribution of the perishable product supply chain. They took into account the processes of freshness and maturity, transport and storage. The problem presents a mixed integer programming model. The objective is to optimize the profit of the distributor, which influences logistical decisions regarding the delivery of fresh produce in the agri-food supply chain. They used Benders' decomposition method to solve the problem. According to their numerical experiments, using the represented feasibility and optimality cuts results in a significant reduction in computational times.

Rabbani et al. (2018) study a Location Routing Problem (LRP) for distribution systems. They focus on the transportation step in the first stage. There is a transportation problem due to the truck capacity limitation. Then, a transportation location routing problem (TLRP) is solved as an extension of the two-stage LRP. In the second echelon, they consider the time intervals to serve customers. The objective is to minimize distribution operating costs, fuel consumption costs, and CO2 emission
costs. NSGA-II and Multi-Objective Particle Swarm Optimization (MOPSO) are developed.

Ghomi et al. (2019) propose the first study combining transportation problems and inventory location routing decisions in perishable distribution systems. They studied a new model including three echelon supply chains entitled. They develop a new mathematical model limited to solving only small-sized problems with supply source nodes. Due to the NP-hardness of the problem, three metaheuristic algorithms are applied to deal with the complexity of the problem in large-scale problems.

Amini et al. (2020) study a transport-location-arc-routing problem and formulate a dual-objective mathematical model to minimize the total cost and makespan. An augmented $\varepsilon$-constraint algorithm is used to find the optimal and Pareto solutions. They merged the Multi-Objective Late Acceptance Hill-Climbing (MOLAHC) algorithm with the Non-Dominated Sorting Genetic Algorithm (NSGAII) as a population-based approach.

Farrokhi et al. (2020) focus on the waste collection problem. In light of a new collection network, they provide a novel multi-objective mathematical model for this issue. The problem pertains to a multi-stage network's collection, treatment, recycling, and disposal of hazardous material. The problem includes three objective functions simultaneously. They are economic cost, transportation risk, and total population who live around undesirable facilities in the presented collection network. To solve the problem, five multi-objective metaheuristic algorithms were used, with one of them, the Hybrid Cultural and Genetic Algorithm (MOHCGA), being proposed. MOHCGA is first applied in location routing problems.

Masoudipour et al. (2020) study a closed-loop supply chain network design focusing on location routing decisions. The forward link of this supply chain includes manufacturers, warehouses, distributors, and customers. In the backward chain, the distributors collect the returns. Then, it separates into three batches to be sent to emerging markets, a decomposition center, or a secondary chain facility. The establishment, transportation, and routing costs in the forward and backward chains are taken into account in the first objective is to be minimized. The second objective to be minimizes the numbers of vehicles utilized for transportation by the manufacturers, the out of town depots respectively. They are solving the multi objective model using both the $\varepsilon$-constraint method and the multi-objective fuzzy
algorithm. They are test the model under different scenarios. The results show that the $\varepsilon$-constraint method performs as well as or better than the fuzzy algorithm.

Safari et al. (2021) study Transportation-Location-Routing problem. They proposed a tri-objective mathematical model. Their model includes three echelon supply chain. The objective is minimize the total costs, maximize the minimum reliability of the routes traveled and create a balanced route set. They used four metaheuristics to solve the proposed model. These metaheruistics are Non-Dominated Sorting Genetic Algorithm- II (NSGA-II), Multi-Objective Grey Wolf Optimizer (MOGWO), Multi-Objective Water Cycle Algorithm (MOWCA) and Multi-objective Particle Swarm Optimization (MOPSO). They tested the algorithms on various problems. According to the results, NSGA-II and MOGWO algorithms perform better for each test problem.

Yu et al. (2020) study a two-stage multi-objective location routing problem. They consider different requirements from various realistic waste collection practices. The proposed model considers flow constraints and capacity constraints. A nondominant sequencing genetic algorithm developed with a specially designed directed local search is offered.

Liu et al. (2021) focus on a two-echelon common waste collection vehicle routing problem. The two-echelon waste transportation network contains two-level facilities. They create an optimization model for the problem whose objective is to minimize total costs and carbon emissions. The K-means customer clustering method is used to reduce the computational complexity in solving this model. They develop a three-stage solution approach that includes a hybrid heuristic and an adaptive large neighborhood search algorithm to search for optimal vehicle routes based on the Clarke \& Wright algorithm.

Sherif et al. (2021) focus on the two-echelon supply chain network of the battery manufacturing industry. The green transportation and inventory-related problems are resolved in the first echelon using an integrated optimization process. The problem of multi-depot heterogeneous green vehicle routing with simultaneous pick-up and delivery is researched in the second echelon. The objective is to minimize the inventory carrying cost, transportation cost, and carbon emission cost. They focuses on solving the problem by formulating a mixed integer nonlinear programming model and using the Simulated Annealing Algorithm.

Many studies focus on the multi-depot location routing problem.
Murugaswamy (2011) study a mixed-integer linear formulation to locate distribution centers for a food supply chain based on the school lunch program concept for Mexican Schools. The K-means clustering algorithm is used to classify food processing centers based on the distance between schools. The multi-echelon facility location model is then solved with the Benders Decomposition Algorithm.

Govindan et al. (2014) focus on the two-echelon location routing problem in a perishable food supply chain network. They investigated the total cost and the total environment-caused impact. They considered time windows to constrain delivery times to each customer and operation times and introduce a Hybrid Meta-Heuristic Algorithm.

Kretschmer et al. (2014) highlight the essential aspects that influence the performance and sustainability of the school lunch supply chain. The study is based on a framework for Laos, located in Southeast Asia. According to their research, local supply chain models that support local finance, local suppliers, and local control of the system are more beneficial.

The two-stage location orientation problem in the collection of recyclables that aren't hazardous is studied by Vidovic et al. (2016). They use their proposed model to simultaneously determine the locations of the collection points, the locations of the intermediate consolidation points, and the routes taken by the collection vehicles based on the relationship between the quantities of recyclable materials collected and the distance between end users and the collection points. They developed heuristic methods to solve the problem.

Hiassat et al. (2017) focus on the location inventory routing problem for perishable products. It presents a mixed-integer problem with homogeneous vehicles of a given capacity and minimizing inventory holding costs. A genetic algorithm has been developed to solve the problem.

Dai et al. (2018) focus on integrating the location inventory problem into the supply chain network. They develop an optimization model for perishable products with fuzzy capacity and carbon emission restrictions. They formulated as a mixedinteger nonlinear programming model. They optimized the warehouse inventory levels and the number of plants and warehouses. The objective is to minimize the total costs. A Hybrid Genetic Algorithm (HGA) and Hybrid Harmony Search (HHS) are used to solve this model. The proposed algorithms were also tested under different conditions.

According to the results of their numerical experiments, it was revealed that both algorithms were successful. Especially the quality of HHS's solution is higher than HGA's.

Pichka et al. (2018) focus on the two-echelon open location routing problem (2E-OLRP), where a vehicle does not need to return to its departing facility. They formulated three mixed-integer linear programming models. To address large-scale samples, a hybrid simulated annealing heuristic is developed.

Kouchaksaraei et al. (2018) study the design of a three-echelon blood supply chain network in the event of a disaster. The network consists of procurement, processing, and distribution. Unlike other studies, they focus on all levels of the supply chain, from blood supply to distribution. The objective is to maximize meeting demand while minimizing total cost. They use a goal programming method and real data to solve the problem.

Majd et al. (2018) study a three-echelon supply chain for perishable products with a constrained time horizon using an integrated Inventory Location Routing Problem. This supply chain consists of one supplier, several distribution centers, and several retailers. They assumed that the transport fleet is heterogeneous, and retailers' demand is taken as stochastic. Their study uses a timeline to not interfere with vehicles' operation. In addition, this timetable prevents a vehicle from being allocated to more than one distribution center in each period. They use a problem Lagrange Relaxation Algorithm to solve problem.

Wang et al. (2018) focus on two-echelon location routing problems with time windows. They develop a three-stage customer clustering-based approach to solve the problem. They formulate a bi-objective model that minimizes cost and maximizes customer satisfaction. They create a Modified Non-Dominated Sequence Genetic Algorithm-II (M-NSGA-II) technique to locate logistics facilities, allocate customers, and optimize the vehicle routing network. They apply the algorithm in a beverage distribution network to see the real-world relevance of the problem.

Vahdani et al. (2018) focus on a two-phase multi-product, multi-commodity, multi-purpose problem in the three-level aid supply chain. In the first stage, the problem of vehicle location routing and distribution from warehouses in warehouses and establish distribution centers are focused on. The same problem is study in the second stage by considering time windows. They use NSGAII and MOPSO metaheuristic algorithms to solve the problem and numerical examples to evaluate the
accuracy of the mathematical model and the effectiveness of the proposed procedures. They evaluated the results of the algorithms using different problems.

Dai et al. (2019) focus on the three-echelon and four-echelon location routing problem. They develop a two-phase method based on the Clarke and Wright savings algorithm for the location routing problems. The objective is to minimize the total cost. The total cost consists of transportation cost and fixed costs for vehicles and facilities. In their studies, they take the demand of the customers as deterministic rather than uncertain.

Saragih et al. (2019) consider the location-inventory-routing problem in a three-echelon supply chain network where inventory decisions are made at three relevant institutions. Their problem consists of a single supplier, multiple warehouses, and multiple retailers. They considered homogeneous fleets and single products. They proposed the heuristic method. The heuristic method consists of two stages, namely, the configuration stage and the improvement stage. Location, inventory, and routing problems are solved in the configuration phase. Simulated annealing is used in the improvement phase to improve the solution.

Buiki et al. (2020) study the sustainability issue, integrated decision-making at the location, routing, and inventory control planning. A two-stage approach is proposed in their study. In the first stage, the Preference Ranking Organization Method for Enrichment Evaluation (PROMETHEE) method is used to identify the sustainableoriented suppliers. In the second stage, its mathematical formulation is developed and solved by multi-objective MIP. Since this problem is NP-hard, they use two hybrid meta-heuristics, parallel and serial combinations of Genetic Algorithm (GA) and Particle Swarm Optimization (PSO) to solve the problem.

The multi-depot open location routing problem with a heterogeneous fixed fleet was introduced by Gullien et al. (2021). They are motivated by the collection problem of a company collecting raw materials from different suppliers. The objective is to minimize the total cost by choosing the contracted carriers, the vehicles used by each contracted carrier, and the collection routes. They proposed an intelligent metaheuristic method that incorporates problem-specific information. The results demonstrate that the solution method is efficient and provides high-quality solutions.

As can be seen, few studies in the literature focus on food distribution for the school lunch program. The transportation location and routing problems (TLRP) are primarily applied to real-life problems. Our problem involves transportation, vehicle
routing, and location decisions simultaneously. Vehicle capacities sent from farmers to distribution centers are larger, they are truck type. But the vehicles that deliver to schools do distribution within the city, so smaller transportation vehicles are used. For this reason, heterogeneous vehicles are used in our problem. Also, unlike the literature, we have imposed a service time restriction when delivering to schools so that the school lunch can arrive on time. For example, we defined 10 minutes of service time for each school. However, when we limit the total service time constraint in our problem, we may not be able to obtain a feasible solution. For this reason, we allowed the total time limit to be exceeded but added a penalty function to it. TLRP is classified as Np -Hard problems in the literature (Martinez et al., 2014). Our problem is more difficult because of these real aspects that we consider. Consequently, we offer a twostage solution approach to solve this problem. We propose a SA algorithm to solve the problems in third echelon. In the third echelon, we determine the locations of FPCs, which FPCs serve to which schools, and the routes between the schools. After selecting the location of FPCs, we solve the transportation location problem for DCs in the second echelon. By modifying the presented mathematical model, we solve the problems in the first echelon.

## CHAPTER IV

## PROBLEM DEFINITION AND MATHEMATICAL FORMULATIONS

### 4.1. PROBLEM DEFINITION

We have farmers, DCS, FPCs, and schools as supply chain partners. The first two echelons involve the distribution of products from farmers to food processing centers (FPC) through distribution centers (DC). The second echelon includes the locations of distribution centers and routes between food processing centers. The third echelon forms a multi-depot location routing problem where the locations of food processing centers and routes between schools are determined. The school lunch distribution network is presented in Figure 1.


Figure 1: School Lunch Distribution Network

Farmers are our suppliers. Farmers produce fresh and organic products to meet the demand of DCs. While providing healthy nutrition to students, local farmers also are supported. DCs are vital for distributing products from local farmers to FPCs. In our problem, we assumed that a single type of product could be supplied to DCs from all farmers. We also supposed that the product is always available for all farmers. DCs act as intermediaries between farmers and FPCs. DCs transfer foods to food preparation centers (FPC). FPCs are involved in the processes of cleaning, cutting, cooking, packaging, and preparing ready services for the products supplied by the DCs. So, FPCs are the centers with kitchens where meals are prepared and packaged to be sent to schools. DCs and FPCs have limited capacities. The amount sent from farmer to DC cannot exceed the capacity of DC, and the amount sent from DC to FPC cannot exceed the capacity of FPC. At the same time, the quantity sent from the farmer to the DC must meet the demand of the DC , and the amount sent from the DC to the FPC must meet the demand of the FPC. FPCs are the depots that the vehicles must return to after serving schools. Schools are the last link of the distribution network. Every school has a certain demand. This demand is satisfied by FPCs. Only one FPC serves each school.

Arrival time to school is essential as lunch has to be ready at a certain time. Therefore, we have taken into account the service time. We have the risk of producing an infeasible solution due to the limited-service time. For this reason, we permit exceeding the service time. However, we added a penalty function for cases that exceed the total service time. As the total service time is exceeded, the cost increases. We used heterogeneous vehicles in our problem. Truck-type vehicles with larger capacities are used to transport products from farmers to DCs. Since the vehicles delivering from FPCs to schools distribute within the city, smaller transport vehicles are used. Vehicles have a limited capacity, and these capacities cannot be exceeded. We aim to minimize the total transportation cost in all three echelons and the fixed costs of vehicles and DCs, and FPCs.

### 4.2 MATHEMATICAL MODEL

The objective mathematical model has been developed, taking into account the following assumptions:

- DCs are capacitated, and the capacity of each is the same
- The single commodity distribution model is assumed
- The demands of the schools are known with certainty
- Vehicles are heterogeneous
- DCs and FPCs have limited capacities
- The total FPC capacities cannot be less than the sum of the demands of the schools
- The total DC capacities cannot be less than the sum of the demands of the FPCs
- The number of vehicles that leave an FPC must be equal to the number of vehicles returning to that FPC

The objective is to minimize the total transportation cost in all three echelons and the fixed cost of vehicles, DCs and FPCs. The mixed integer nonlinear programming formulation of the problem is given below.
Sets and Indexes
$F(f) \quad$ Set of farmers
$R(r) \quad$ Set of Distribution Centers (DC)
$G(g) \quad$ Set of Food Processing Centers (FPC)
C(c) Set of Schools
$V(v) \quad$ A fleet of vehicles in the third echelon
$T(t) \quad$ A fleet of vehicles used between farmers and DCs
$K(k) \quad$ A fleet of vehicles used between DCs and FPCs
$i \quad$ Origin/destination, $i \in I=\{G, C\}$
$j \quad$ Origin/destination, $j \in J=\{G, C\}$

## Parameters

$c_{i j} \quad$ Transportation cost from node $i$ to node $j, i, j \in G \cup C$
$c_{r g}^{k} \quad$ Transportation cost of vehicle $k$ from DC $r$ to FPC $g, r \in R, g \in G, k$ $\in K$
$c_{f r}^{t} \quad$ Transportation cost of vehicle $t$ from farmer $f$ to $\mathrm{DC} r, f \in F, r \in R, t$ $\in T$
$C F_{f} \quad$ Capacity of farmer $f, f \in F$
$C R_{r} \quad$ Capacity of DC $r, r \in R$
$C G_{g} \quad$ Capacity of FPC $g, \mathrm{~g} \in G$
$C V \quad$ Vehicles capacity in the third echelon
$C V_{t} \quad$ Capacity of vehicle $t$ used between farmers and DCs, $t \in T$
$C V_{k} \quad$ Capacity of vehicle $k$ used between DCs and FPCs, $k \in K$
$d_{c} \quad$ Demand for each school $c, c \in C$
$l_{r g} \quad$ Distance from DC $r$ to FPC $g, r \in R, g \in G$
$l_{i j} \quad$ Distance between node $i$ and $j, i \in G \cup C, j \in G \cup C$
$l_{f r} \quad$ Distance from farmer $f$ to $\mathrm{DC} r, f \in F, r \in R$
$F_{r} \quad$ Fixed cost of establishing DC $r, r \in R$
$F_{g} \quad$ Fixed cost of establishing FPC $g, g \in G$
$F_{t} \quad$ Fixed cost of using vehicle $t$ in the first echelon, $t \in T$
$F_{k} \quad$ Fixed cost of using vehicle $k$ in the second echelon, $k \in K$
$F \quad$ Fixed cost of vehicle in the third echelon
M Big Number
$s_{c} \quad$ Service time at school $c, c \in C$
$T \quad$ Total service time
$P N \quad$ Penalty cost for exceeding service time at school $c, c \in C$
SV Speed of vehicle

Decision variables
$y_{g c} \quad\left\{\begin{array}{l}1, \text { if school } c \text { is assigned to FPC } g, c \in C, g \in G \\ 0, \text { otherwise }\end{array}\right.$
$w_{r g}\left\{\begin{array}{l}1, \text { if FPC } g \text { is assigned to DC } r, g \in G, r \in R \\ 0, \text { otherwise }\end{array}\right.$
$z_{g} \quad\left\{\begin{array}{l}1, \text { if FPC } g \text { is established, } g \in G \\ 0, \text { otherwise }\end{array}\right.$
$z_{r}^{\prime} \quad\left\{\begin{array}{l}1, \text { if } \mathrm{DC} r \\ 0, \text { is established }, r \in R\end{array}\right.$
\{ 0 , otherwise
$x_{f r}^{t} \quad$ Quantity sent from farmer $f$ to $\mathrm{DC} r$ by vehicle type $t, r \in R, f \in F, t \in T$
$x_{r g}^{\prime k} \quad$ Quantity sent from DC $r$ to FCP $g$ by vehicle type $k, r \in R, g \in G, k \in K$
$p_{i j} \quad\left\{\begin{array}{l}1, \text { if } t \text { there is a connection from node } i \text { to } j, i, j \in G \cup C \\ 0, \text { otherwise }\end{array}\right.$
$p_{f r}^{t} \quad\left\{\begin{array}{l}1, \text { if vehicle } t \in T \text { travels from farmer } f \text { to } D C r, f \in F, r \in R, t \in T \\ 0, \text { otherwise }\end{array}\right.$
$p_{r g}^{k} \quad\left\{\begin{array}{l}1, \text { if vehicle } k \in K \text { travels from DC } r \text { to FPC } g ; r \in R, g \in G, \mathrm{k} \in K \\ 0, \text { otherwise }\end{array}\right.$
$d_{g}^{\prime} \quad$ Demand for FPC $g \in G$.
$u_{i} \quad$ Load of the vehicle after visiting school $i, i \in G \cup C$

$$
\begin{aligned}
\min \sum_{r \in R} F_{r} z_{r}^{\prime} & +\sum_{g \in G} F_{g} z_{g} \\
& +\sum_{t \in T} \sum_{f \in \mathrm{~F}} \sum_{r \in \mathrm{R}} F_{t} p_{f r}^{t}+\sum_{k \in K} \sum_{g \in \mathrm{G}} \sum_{r \in \mathrm{R}} F_{k} p_{r g}^{k}+\sum_{i \in G \cup C} \sum_{j \in G \cup C} l_{i j} c_{i j} p_{i j} \\
& +\sum_{f \in F} \sum_{r \in R} \sum_{\mathrm{t} \in T} x_{f r}^{t} c_{f r}^{t}+\sum_{r \in R} \sum_{g \in G} \sum_{k \in K} x_{r g}^{\prime k} c_{r g}^{k} \\
& +\sum_{c \in C} P N\left(\sum_{i \in G \cup C} \sum_{j \in G \cup C} p_{i j} l_{i j} / S V+\sum_{i \in G \cup C} \sum_{j \in G \cup C} s_{j} p_{i j}\right)-T
\end{aligned}
$$

(1)

The objective is to minimize the total transportation cost in all three echelons and the fixed cost of vehicles and DCs and FPCs. The first two terms represent the fixed costs of establishing DCs and FPCs, respectively. The third and fourth terms represent the fixed cost of using vehicles in the first and second echelons. The fifth, sixth, and seventh terms show total transportation cost in each echelon. The last term assigns a penalty cost to the objective function for each tour unit time the vehicle
exceeds the service time, thus aiming to produce tours that delay the arrival time at a school the least.

## The first and second echelons

$\sum_{r \in R} w_{r g}=z_{g}$

$$
\begin{equation*}
\forall g \in G \tag{2}
\end{equation*}
$$

Single-sourcing restrictions require only one FPC to provide services to a school.
$z_{r}^{\prime} \geq w_{r g}$

$$
\begin{equation*}
\forall g \in G, r \in R \tag{3}
\end{equation*}
$$

A DC $r$ can serve an FPC $g$ if it is established.

$$
\begin{equation*}
d_{g}^{\prime}=\sum_{c \in C} d_{c} y_{g c} \quad \forall g \in G \tag{4}
\end{equation*}
$$

The demand of FPC $g$ equals the total demand of customers assigned to it.
$\sum_{r \in R} \sum_{t \in T} x_{f r}^{t} \leq C F_{f}$
$\forall f \in F$

The capacity of a farmer $f$ cannot be exceeded.
$\sum_{r \in R} \sum_{\mathrm{k} \in K} x_{r g}^{\prime k}=d_{g}^{\prime} \quad \forall g \in G$
Quantity sent from DC $r$ to FPC $g$ must satisfy the demand of FPC.
$\sum_{f \in F} \sum_{\mathrm{t} \in T} x_{f r}^{t}=\sum_{g \in G} d_{g}^{\prime} w_{r g} \quad \forall r \in R$
Quantity sent from farmer $f$ to $\mathrm{DC} r$ must satisfy the demand of DC.
$\sum_{f \in F} \sum_{\mathrm{t} \in T} x_{f r}^{t} \leq C R_{r} \quad \forall r \in R$
The capacity of a DC $r$ cannot be exceeded.
$\sum_{f \in F} \sum_{\mathrm{t} \in T} x_{f r}^{t}=\sum_{g \in G} \sum_{\mathrm{k} \in K} x_{r g}^{k} \quad \forall r \in R$
Flow balance at each DC $r$.
$\sum_{f \in F} \sum_{\mathrm{t} \in T} x_{f r}^{t} \leq C R_{r} z_{r}^{\prime} \quad \forall r \in R$
The amount sent from farmer $f$ to DC $r$ cannot exceed the DC's capacity.
$d_{g}^{\prime} \leq C G_{g} z_{g} \quad \forall g \in G$
The capacity of an FPC $g$ cannot be exceeded.
$\sum_{r \in R} x_{f r}^{t} p_{f r}^{t} \leq C V_{t} \quad \forall t \in T, f \in \mathrm{~F}$
The vehicle capacity sent from the farmer $f$ to $\mathrm{DC} r$ cannot be exceeded.
$\sum_{g \in \mathrm{G}} x_{r g}^{\prime k} p_{r g}^{k} \leq C V_{k} \quad \forall k \in \mathrm{~K}, r \in \mathrm{R}$
The vehicle capacity sent from a DC $r$ to an FPC $g$ cannot be exceeded.

## The third echelon

$\sum_{g \in G} y_{g c}=1 \quad \forall c \in C$
Each school is served by only one FPC.
$y_{g c} \leq z_{g} \quad \forall c \in C, g \in G$
A school can be served by only one FPC if it is established.
$\sum_{j \in G \cup C} p_{i j}=\sum_{j \in G \cup C} p_{j i} \quad \forall i \in G \cup C$
The number of vehicles that leave an FPC $g$ must equal the number of vehicles returning to that FPC.
$\sum_{c \in C, j \neq c} p_{c j}=y_{g j} \quad \forall j \in G \cup C, g \in G$
$\sum_{j \in G \cup C, g \neq j} p_{c j}=y_{g c} \quad \forall g \in G, c \in C$
Constraint sets (17) and (18) impose, first, that each school must be visited immediately after exactly one FPC or after another school, and that exactly one school or FPC must be visited immediately after, respectively. Second, these constraints enable the construction of routes only between schools assigned to the same FPC.
$u_{c}-u_{i}+C V \sum_{j \in G \cup C} p_{c j} \leq C V-d_{c} \quad \forall i \in G \cup C, c \in C, i \neq c$
$d_{c} \leq u_{c} \leq C V$
$\forall c \in C$
Constraint sets (19) and (20) prevent exceeding vehicle capacities and avoid the generation of sub-tours.
$\sum_{i \in G \cup C} \sum_{j \in G \cup C} p_{i j} l_{i j} / S V+\sum_{i \in G \cup C} \sum_{j \in G \cup C} s_{j} p_{i j} \leq \mathrm{T}$
Prevents exceeding the maximum total service time T.
$u_{i} \geq 0 \quad \forall i \in G \cup C$
$x_{f r}^{t} \geq 0 \quad \forall f \in F ; \forall r \in R ; \forall t \in T$
$x_{r g}^{\prime k} \geq 0 \quad \forall r \in R ; \forall g \in G ; \forall k \in K$
$d_{g}^{\prime} \geq 0 \quad \forall g \in G$
$y_{g c} \in\{0,1\} \quad \forall g \in G ; \forall c \in C$
$w_{r g} \in\{0,1\} \quad \forall r \in R ; \forall g \in G$
$z_{g} \in\{0,1\} \quad \forall g \in G$
$z_{r}^{\prime} \in\{0,1\} \quad \forall r \in R$
$p_{i j} \in\{0,1\} \quad \forall i \in I ; \forall j \in J$
$p_{f r}^{t} \in\{0,1\} \quad \forall f \in F ; \forall r \in R ; \forall t \in T$
$p_{r g}^{k} \in\{0,1\} \quad \forall r \in R ; \forall g \in G ; \forall k \in K$

Sign and type restrictions

## CHAPTER V

## SOLUTION METHODOLOGY

Since our problem is NP-hard, different solution approaches are required. SA is a local search algorithm that is capable of escaping from local optima by accepting bad solutions during its iterations. There are many studies in the literature using the simulated annealing algorithm because it is widely and simply applicable. SA has been successfully applied to real-world examples, location-routing problems, and complicated combinatorial optimization problems (Yu et al. 2010; Sherif et al. 2021).

We propose a two-stage solution approach to solve this problem. The first stage provides a Simulated Annealing Algorithm that handles the routing decisions of the third echelon. These decisions include locations of FPCs, routes between schools, and which FPC will serve which school. After these decisions are determined, the problem turns into a transportation location problem. The second stage presents a mixed-integer linear mathematical model that determines the locations of distribution centers and solves the transportation location problem in the first echelon. This is a reduced version of the MILP model proposed for the transportation location problem above. The outputs of SA ( $d_{g}^{\prime}$ and $z_{g}$ ) become the inputs of the reduced model. Thus, we know the demands and location of FPCs ( $d_{g}^{\prime}$ and $z_{g}$ ), routes between schools, and which FPC will be serving to which school. In other words, $d_{g}^{\prime}$ and $z_{g}$ turned into parameters, which are used as parameters in the reduced model. When the reduced model is solved, the transportation location routing problem is completely solved. The proposed solution is represented in Figure 2.


Figure 2: Solution Approach Diagram

### 5.1. FIRST STAGE OF THE SOLUTION APPROACH

### 5.1.1 Simulated Annealing Algorithm

Simulated annealing is a metaheuristic that uses a hill-climbing search method (Bayram 2013). A metal is heated to allow the molecular structure to change during the simulation of annealing. After that, the temperature is continuously lowered, which lowers atoms' energy and prevents them from reorganizing until the metal structure is finally adjusted. This process minimizes the number of defects in the structure of the material. Similarly, simulated annealing gradually restricts the freedom of the solution search until it only approves moves in the direction of superior tours (Shi-hua Zhan 2016).

In a combinatorial optimization problem, a solution corresponds to the state of the physical system and the cost of the solution for the system's energy. One of the primary parameters in the simulated annealing algorithm is temperature. The temperature is gradually reduced while the algorithm is running. A certain number of iterations are performed at each temperature level. A neighbor solution is generated at each step. The current solution is randomly selected from a set of neighboring solutions in each iteration. If the new solution is better than the current one, it is automatically accepted and becomes the new solution. Otherwise, the new solution is obtained according to the following acceptance probability function;

$$
p=e^{\frac{-\Delta E}{T}}
$$

$p=$ probability of acceptance
$T=$ current temperature
$\Delta=$ difference between the objective values obtained from the current and the neighbor solutions

The probability of acceptance is related to the size of the cost increase and the temperature parameter. A move is more likely to be accepted if the temperature is high and the cost increase is low. It is considered to improve movements only when the temperature is sufficiently lower. The algorithm stops at a local optimum (Diabat et al. 2017).

Simulated annealing permits bad moves to states with a lower value hence letting us escape conditions that lead to a local optimum. Gradually decreases the frequency of such moves and their size. Simulated annealing is a variant of local (neighborhood) search. Traditional local search (e.g., steepest descent for minimization) always moves toward improvement. Simulated annealing allows nonimproving moves to avoid getting stuck at a local optimum. Simulated annealing allows probabilistic acceptance of non-improving moves.

### 5.1.2. Initial Solution Generation

The nearest neighbor algorithm (NNSA) is used in the production of the initial solution. We preferred the nearest neighbor algorithm because it is simple and easy to implement. The NNSA is frequently used to produce the initial solution in location routing and vehicle routing problems. It is highly preferred because it gives simple and effective results (Marinakis 2001; Sherif et al. 2021). In this thesis, this algorithm was used to obtain effective results. The NNSA proceeds with selecting the nearest neighbors as the starting node. All nodes are visited, and the tours are completed.

In the NNSA algorithm, it chooses the school closest to the FPC from the schools assigned to the FPC as the school to be visited first. The algorithm continues to select the school closest to the last assigned school in order until the FPC capacity is exceeded. At the same time, vehicle capacities are also checked. When the FPC capacity is exceeded, it moves to the next randomly opened FPC, and when the vehicle capacity is exceeded, it moves to the next vehicle and continues in the same way until the capacities are full. The steps of the nearest neighbor search algorithm and initial solution are given in Figure 3.

## Set Parameters:

Vehicle Capacity, Schools Length, Schools Demand, FPC Capacity
Generate an initial solution from using a nearest neighboor prosedure based on allocating schools to the closest FPCs
Choose a randomly opened FPC and open
For all FPCs open randomly
Assign the closest school to the FPC.
Capacity (FPC)= Demand of School
While (Total demand of assigned schools <= FPC capacity)
Choose the school closest to the last assigned school.
Capacity (FPC)= Capacity (FPC)+Demand of School
Do While
End for
For all FPC's
$\mathrm{k}=0$ (Number of vehicles)
$\mathrm{j}=1$
CAP (vehicle) $=0$
While (until all schools on the route have been inspected.)
CAP (vehicle)=CAP (vehicle) + Demand of school (j) If (CAP (vehicle) > Max vehicle capacity)

Return vehicle to FPC. (j-1. Returns from school)
Add new roue for FPC. $\mathrm{k}=\mathrm{k}+1$
$\mathrm{j}=$ the school to be visited first in the next round. $(\mathrm{j}=\mathrm{j}-1)$
CAP $($ vehicle $)=0$
End If
$j=j+1$
Do While
End for
Calculate the objective for each generated route.

Figure 3: Pseudo Code for a Detailed NNSA to Genereate Initial Solution

### 5.1.3. Solution Representation

A solution representation is given in Table 2. Consider the situation when the FPC maximum capacity is 60 and the vehicle maximum capacity is 40 . The solution matrix below illustrates the first FPC is opened at random and subsequently assigned to the nearby school (school 8). The next step is to choose the school (6) that is closest to the school assigned to the FPC. The FPC and vehicle capacities are checked concurrently. If the FPC capacity or vehicle capacity is not exceeded, the FPC is assigned to school. Afterward, the capacities are checked, and a new assignment is made to the closest school (school 3). When the assignment to the closest school is desired, a second vehicle is needed as the vehicle capacity is exceeded. Each school is visited once. For this reason, the school closest to FPC is selected among the schools that have not been visited before. The second vehicle from FPC 1 is assigned to the school (school 2) closest to FPC 1. Then the capacities are checked, and the assignments continue in the same way. When the FPC's maximum capacity is reached, a new FPC is opened at random and so on until all of the schools have been assigned.

As indicated in Table 3, the randomly opened first FPC visited the eighth, sixth and third schools with the first vehicle, respectively. When the vehicle capacity is exceeded, vehicle two visits schools two and four, respectively. When the FPC capacity is exceeded, schools continue to be served in the same way from the other FPCs opened. FPCs and vehicles have specified capacities, and these capacities cannot be exceeded. The sum of FPC capacities must be greater than or equal to the aggregate demand of schools.

Table 3: Representation Route Matrix

|  |  | Schools |  |  |
| :---: | :---: | :---: | :---: | :---: |
| FPC | Vehicles | 1 | 2 | 3 |
| 1 | 1 | 8 | 6 | 3 |
| 1 | 2 | 2 | 4 |  |
| 4 | 3 | 7 | 5 |  |
| 2 | 4 | 1 | 10 |  |
| 2 | 5 | 9 |  |  |

### 5.1.4. Detailed Simulated Annealing Algorithm

The proposed SA heuristic requires four parameters: ITER, $T_{i}, T_{\max }$, and $\alpha$. ITER represents the total number of iterations that the neighborhood search should repeat at a particular temperature; $T_{i}$ denotes the initial temperature, $T_{\max }$ is the final temperature, and $\alpha$ is the coefficient of the cooling schedule. In this thesis, a geometric cooling schedule was used. In the geometric schedule, the temperature is updated using this formula $T=\alpha * T . \alpha(\alpha \in|0,1|)$ should be between 0.5 and 0.99 . Each iteration at a particular temperature generates a neighborhood solution $S^{\prime}$ from the current solution $S$ by using a neighborhood search mechanism. The proposed SA heuristic uses four move mechanisms: swap move, insertion move, swap center move, and close center move. A neighborhood solution is generated by either one of these four mechanisms. The probability of choosing each type of move is equal.

Let $\Delta$ be the objective function difference between the new neighborhood solution and the current solution. If $\Delta<=0$, then the new neighborhood solution is better than the current solution and $S^{\prime}$ replaces $S$ as the current solution; otherwise, the new neighborhood solution is accepted with a probability $\exp \left(-\frac{\Delta}{T}\right)$.

The current temperature decreases to $\alpha * T$, after running ITER iterations at the current temperature $T_{i}$. The algorithm terminates at two conditions: the current temperature is below or equal to the final temperature $T_{\min }$ and the number of maximum iterations is achieved. The best solution $\left(S^{\prime}\right)$ and its objective function value $\left(f\left(S^{\prime}\right)\right)$ are updated whenever a new best solution is found. The Simulated Annealing algorithm accepts bad solutions with a certain probability value. Thus, we have always ensured to produce feasible solutions. The pseudo-code of the proposed heuristic is given in Figure 4.

The proposed simulated annealing algorithm evaluates the solutions by using the same objective function given in the MILP formulation. If the route exceeds the service time, the penalty function $(f(Z))$ is calculated as given below.
$X=$ total distance
$S=$ service time
$N=$ number of school
$T=$ total service time
$V=$ speed of vehicle
$P=$ penalty cost
$f(Z)=(((X / V)+(S * N))-T) * P$

## Start

Input: $T_{i}, T_{\max }, i \leftarrow 0, \alpha$
Generate the initial solution $S \leftarrow S_{0}$, iter $\leftarrow 1$
While ( $T_{i} \geq T_{\text {max }}$ )
While (iter $\leq I T E R$ )
Generate $\mathrm{r}=$ random $(1,4)$

$$
\text { If }(\mathrm{r}=1) \text { then }
$$

$S^{\prime} \leftarrow$ generate a new solution by applying swap move If ( $\mathrm{r}=2$ ) then
$S^{\prime} \leftarrow$ generate a new solution by applying insertion move If $(\mathrm{r}=3)$ then
$S^{\prime} \leftarrow$ generate a new solution by applying swap center move If ( $\mathrm{r}=4$ ) then
$S^{\prime} \leftarrow$ generate a new solution by applying close center move $\Delta=f\left(S^{\prime}\right)-f(S)$ If $(\Delta \leq 0)$ then

$$
\begin{aligned}
& S \leftarrow S^{\prime} \text { else } S \leftarrow S^{\prime} \text { with probability of } \exp ^{-\frac{\Delta}{T_{i}}} \\
& \text { iter }=\text { iter }+1
\end{aligned}
$$

## End While

$$
T_{i+1}=\alpha * T_{i}, i=i+1
$$

End While

Figure 4: Pseudo Code of the Proposed Heuristic

### 5.1.4.1. Swap Move

We implement the swap move by randomly choosing the two schools from different routes and then exchanging the numbers in these two positions. In other words, swap move provides making changes between routes. The swap move representation on the route matrix is given in Table 4.

Table 4: Swap Move Representation on the Route Matrix

| FPC | Schools |  |  |
| :---: | :---: | :---: | :---: |
| 1 | 8 | 6 | 3 |
| 1 | 2 | 4 |  |
| 4 | 7 | 5 |  |
| 2 | 1 | 10 |  |
| 2 | 9 |  |  |

Swap Move

| FPC | Schools |  |  |
| :---: | :---: | :---: | :---: |
| 1 | 8 | 6 | 3 |
| 1 | 2 | $\mathbf{1}$ |  |
| 4 | 7 | 5 |  |
| 2 | 4 | 10 |  |
| 2 | 9 |  |  |

### 5.1.4.2. Insertion Move

We implement the insertion move by randomly choosing the two schools from different routes and then inserting one next to the other. Insertion move provides making changes between routes. The insertion move representation on the route matrix is given in Table 5.

Table 5: Insertion Move Representation on the Route Matrix

| FPC | Schools |  |  |
| :---: | :---: | :---: | :---: |
| 1 | 8 | 6 | 3 |
| 1 | 2 | 4 |  |
| 4 | 7 | 5 |  |
| 2 | 1 | 10 |  |
| 2 | 9 |  |  |

Insertion Move

| FPC | Schools |  |  |
| :---: | :---: | :---: | :---: |
| 1 | 8 | 6 | 3 |
| 1 | 2 | 4 |  |
| 4 | 7 | 5 |  |
| 2 | 1 | $\mathbf{6}$ | $\mathbf{1 0}$ |
| 2 | 9 |  |  |

### 5.1.4.3. Swap Center Move

The swap center move is executed by randomly selecting the two FPCs and then exchanging the numbers in these two positions. Swap center move provides making changes between FPCs. The swap center move representation on the route matrix is given in Table 6.

Table 6: Swap Center Move Representation on the Route Matrix

| FPC | Schools |  |  |
| :---: | :---: | :---: | :---: |
| 1 | 8 | 6 | 3 |
| 1 | 2 | 4 |  |
| 4 | 7 | 5 |  |
| 2 | 1 | 10 |  |
| 2 | 9 |  |  |

Swap Center Move

| FPC | Schools |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 8 | 6 | 3 |  |
| $\mathbf{2}$ | 2 | 4 |  |  |
| 4 | 7 | 5 |  |  |
| $\mathbf{1}$ | 1 | 10 |  |  |
| 2 | 9 |  |  |  |

### 5.1.4.4. Close Center Move

Closing an opened FPC and opening a closed one: An opened FPC is randomly selected. A closed FPC is also randomly selected, and all of the schools in the closed FPCs are moved to the newly opened FPCs. This neighborhood structure investigates different combinations of opened FPCs. The close center move representation on the route matrix is given in Table 7.

Table 7: Close Center Move Representation on the Route Matrix

| FPC | Schools |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 8 | 6 | 3 |  |
| 1 | 2 | 4 |  |  |
| 4 | 7 | 5 |  |  |
| 2 | 1 | 10 |  |  |
| 2 | 9 |  |  |  |

Close Center Move
$\longrightarrow$

| FPC | Schools |  |  |
| :---: | :---: | :---: | :---: |
| 1 | 8 | 6 | 3 |
| 1 | 2 | 4 |  |
| 4 | 7 | 5 |  |
| 3 | 1 | 10 |  |
| 3 | 9 |  |  |

### 5.2. SECOND STAGE OF THE SOLUTION APPROACH

In this section, we present a mixed integer mathematical model formulation for the problems in the first and second echelons. A similar formulation presented in Section 4.2 is given here. However, we obtained the locations of FPCs, allocations of schools to FPCs, and the routes for schools as outputs of SA. Thus, decision variables related to FPC turned into parameters. In other words, $z_{g}$ and $d_{g}^{\prime}$ are not decision variables anymore. So, constraints (5) and (7) are linear constraints. Some of the constraints are eliminated from the original model and the mathematical model of the transportation location model given below.

Constraints $3,5,6,7,8,9,10,11$ and 12 are used as they are in Section 4.2.

$$
\begin{array}{ll}
z_{r}^{\prime} \geq w_{r g} & \forall g \in G, r \in R \\
\sum_{r \in R} \sum_{t \in T} x_{f r}^{t} \leq C F_{f} & \forall f \in F \\
\sum_{r \in R} \sum_{\mathrm{k} \in K} x_{r g}^{\prime k}=d_{g}^{\prime} & \forall g \in G \\
\sum_{f \in F} \sum_{\mathrm{t} \in T} x_{f r}^{t}=\sum_{g \in G} d_{g}^{\prime} w_{r g} & \forall r \in R \\
\sum_{f \in F} \sum_{\mathrm{t} \in T} x_{f r}^{t} \leq C R_{r} & \forall r \in R \\
\sum_{f \in F} \sum_{\mathrm{t} \in T} x_{f r}^{t}=\sum_{g \in G} \sum_{\mathrm{k} \in K} x_{r g}^{k} & \forall r \in R \\
\sum_{f \in F} \sum_{\mathrm{t} \in T} x_{f r}^{t} \leq C R_{r} z_{r}^{\prime} & \forall r \in R \\
\sum_{r \in R} x_{f r}^{t} p_{f r}^{t} \leq C V_{t} & \forall t \in T, f \in \mathrm{~F} \\
\sum_{g \in \mathrm{G}} x_{r g}^{\prime k} p_{r g}^{k} \leq C V_{k} & \forall k \in \mathrm{~K}, r \in \mathrm{R} \tag{13}
\end{array}
$$

Constraints (12) and (13) are still nonlinear. To linearize Constraints (12) and (13), we replace them with (33)-(36). Constraints (33) impose that the total transported amount from a farmer to DCs cannot exceed the capacity of vehicle $t$. Constraints (34) ensure that if vehicle $t$ travels between farmer $f$ and $\mathrm{DC} r$, then $x_{f r}^{t}$ takes a value of 1 , where $M$ is a very big number. Similar constraints between DCs and FPCs are represented by Constraints (35) and (36).
$\sum_{r \in R} x_{f r}^{t} \leq C V_{t}$
$\forall t \in T, f \in \mathrm{~F}$
$x_{f r}^{t} \leq M p_{f r}^{t}$
$\forall t \in T, f \in \mathrm{~F}, r \in \mathrm{R}$
$\sum_{g \in \mathrm{G}} x_{r g}^{\prime k} \leq C V_{k}$
$\forall k \in \mathrm{~K}, r \in \mathrm{R}$
$x_{r g}^{\prime k} \leq M p_{r g}^{k}$
$\forall k \in \mathrm{~K}, r \in \mathrm{R}, \mathrm{g} \in \mathrm{G}$

We solved the model using GAMS 24.1. We found the locations of DCs, which farmers assigned to which DCs, and which DCs assigned to which FPCs. Results are included in Appendix 1-5.

For example, we examine the solution to the P01 problem. The route, FPC demand, the vehicles used, and their capacities obtained in the P01 problem solving with the SA algorithm are given in Table 8-9-10. Objective function value is 842 E . In the solution matrix, the first, the second and the fourth FPCs are opened.

Table 8: P01 Problem Solution Routing Matrix

| FPC | Schools |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 4 | 17 | 15 | 44 | 42 | 19 |  |
| 1 | 41 | 13 | 25 |  |  |  |  |
| 1 | 47 | 46 | 12 | 37 |  |  |  |
| 1 | 14 | 6 | 18 |  |  |  |  |
| 2 | 27 | 1 | 22 | 28 | 31 | 8 |  |
| 2 | 32 | 2 | 16 | 11 |  |  |  |
| 2 | 48 | 26 | 23 | 7 | 43 | 24 |  |
| 2 | 38 | 9 | 49 | 5 |  |  |  |
| 4 | 21 | 34 | 50 | 29 |  |  |  |
| 4 | 10 | 45 | 33 | 39 | 30 |  |  |
| 4 | 20 | 3 | 36 | 35 |  |  |  |

Table 9: FPC Demands in P01 Problem

| FPC | Demand |
| :---: | :---: |
| 1 | 290 |
| 2 | 299 |
| 4 | 188 |

Table 10: Vehicle Capacities in P01 Problem

| Vehicle <br> Number | Capacity |
| :---: | :---: |
| 1 | 67 |
| 1 | 78 |
| 1 | 68 |
| 1 | 77 |
| 2 | 78 |
| 2 | 76 |
| 2 | 80 |
| 2 | 65 |
| 4 | 50 |
| 4 | 71 |
| 4 | 67 |

As a result of solving the problem with the SA algorithm which FPCs to open and FPC demands obtained. So, decision variables related to FPC turned into parameters. The mathematical model is solved by using these parameters in the GAMS. According to the GAMS model outputs, 2 of the 3 farmers are served for distribution centers. The second farmer also serves the first DC and the third DC. The third farmer serves the second DC. There is a total of 777 kg of food transported from farmers. Also, we found the quantity sent from which farmer to DC by vehicle type. 3 vehicle type t vehicles are used for food transported from farmers to DCs. 3 distribution centers are opened and all of them are served for FPCs. The first DC is assigned to the fourth FPC, the second DC to the second FPC, and the third DC to the first FPC. Likewise, we found the quantity sent from which DC to which FPC by vehicle type. 777 kg of food is transported from distribution centers to FPCs. During this transportation, 3 vehicle type k vehicles are used. The objective function value of the P01 problem is 23.158 €. P01 GAMS result is included in Appendix 1. In the P01 problem, the total objective function value of all echelons is calculated as; $842+23158=24.000$ も

## CHAPTER VI

## COMPUTATIONAL RESULTS

### 6.1. THE BENCHMARK PROBLEM SETS

In the literature, test problems generated by Cordeau et al. (1997) are frequently used to solve Multi Depot Vehicle Routing Problems (MDVRP). We used five of the MDVRP test problem set to evaluate the effectiveness of our solution method.

Our problem was tested on 5 problems selected according to the variety of the number of customers in data set. These problems are P01, P07, P013, P016 and P019. The characteristics of the test problems are given in Table 11. The number of customers in the data set represents the number of schools in our problem, and the number of depots represents the number of FPCs. We used this data to utilize the effectiveness of the algorithm. We could not compare with the results of Cordeau et al. (1997) because we consider service time that include both the total traveling time of the route and the service time add schools. Cordeau et al. (1997) considers only the total traveling time of the tour and they do not allow exceeding the total route time for each route. However as explained in Section 4.2, we allow to exceed the total time and punish each unit of time that exceeds the service time. The fixed cost of establishing DCs and FPCs are $80 €$ and $50 €$, respectively, the punishment cost is $2 €$, and the service time takes 10 minutes, treated the same in all our problems.

Table 11: Data Sets

| Problem <br> Set <br> P01 | Number of <br> School | Vehicle <br> Capacity | FPC <br> Capacity |
| :---: | :---: | :---: | :---: |
| P07 | 100 | 80 | 320 |
| P13 | 80 | 60 | 300 |
| P16 | 160 | 60 | 300 |
| P19 | 175 | 60 | 300 |

### 6.2. PARAMETER TUNNING FOR SA

To determine the best combinations of the parameters used in the SA (alfa ( $\alpha$ ), $T_{i}, T_{\text {min }}$, iteration number), we carried out preliminary experiments by varying the parameters as given in Table 12. We tried three different values for the maximum number of iterations: $n, 5 n$, and $10 n$, where $n$ denotes the number of schools, alfa $(\alpha)$, $T_{i}$, and $T_{\min }$. For each combination, the program was run 3 times. It results in 81 combinations. The combinations created according to the parameters are given in Appendix 6.

The best results are obtained for combinations $6,9,12,15,27,33$ and 42 . The best combination of the parameters are reported in the Table 13. However, as the solution quality of the best combinations are very close to each other, the algorithm is run 3 more times only for the best combinations. The results are given in Appendix 7. The best combination is obtained in run 27. According to the results of the experiments, the best parameter set is defined as: $\alpha=0.99, T_{i}=7, T_{\min }=0.001$ and iteration number $=10 n$.

Table 12: Parameters

| $\alpha$ | $\mathrm{T}_{\mathrm{i}}$ | $\mathrm{T}_{\min }$ | Iteration Number |
| :---: | :---: | :---: | :---: |
| 0.99 | 3 | 0.1 | n |
| 0.95 | 5 | 0.01 | $5^{*} \mathrm{n}$ |
| 0.85 | 7 | 0.001 | $10^{*} \mathrm{n}$ |

Table 13: Parameter of Best Combinations

| $n=$ Number of School |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Number of <br> Combination | $\boldsymbol{\alpha}$ | $\boldsymbol{T}_{\boldsymbol{i}}$ | $\boldsymbol{T}_{\boldsymbol{m i n}}$ | Iteration Number |
| 6 | 0.99 | 3 | 0.01 | $10 n$ |
| 9 | 0.99 | 3 | 0.001 | $10 n$ |
| 12 | 0.99 | 5 | 0.1 | $10 n$ |
| 15 | 0.99 | 5 | 0.01 | $10 n$ |
| 27 | 0.99 | 7 | 0.001 | $10 n$ |
| 33 | 0.95 | 3 | 0.001 | $10 n$ |
| 42 | 0.95 | 5 | 0.01 | $10 n$ |

### 6.3. COMPUTATIONAL RESULTS

The SA was coded with C programming language in the Visual Studio 2019 and solved with the help of a computer with 8 GB RAM, 1.80 GHz and Intel CORE I7 processor. All the solutions were carried out on the same computer. Table 14 represents the results for three runs of five test problems with the best parameter set. All results are included in Appendix 8-12. P01_27 represents the problem number and the combination number respectively.

Table 14: Results for Three Runs with Best Parameter Set

|  |  | Run 1 |  |  | Run 2 |  |  | Run 3 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Problem <br> No | Initial <br> Solution | Obj | CPU <br> (sec.) | Imp <br> $(\%)$ | Obj | CPU <br> $($ sec. $)$ | Imp <br> $(\%)$ | Obj | CPU <br> (sec.) | Imp <br> $(\%)$ |
| P01_27 | 1288 | 842 | 3,326 | 34,62 | 878 | 47,525 | 31,83 | 866 | 6,375 | 32,76 |
| P07_27 | 3357 | 2511 | 16,654 | 25,20 | 2518 | 13,752 | 24,99 | 2398 | 240 | 28,57 |
| P013_27 | 2643 | 1886 | 4,925 | 28,64 | 1878 | 8,885 | 28,94 | 1842 | 29,566 | 30,31 |
| P016_27 | 5369 | 4078 | 87 | 24,04 | 4089 | 55,547 | 23,84 | 4134 | 12,545 | 23,01 |
| P019_27 | 6414 | 5054 | 160 | 21,21 | 5054 | 258 | 21,20 | 5067 | 24,642 | 21,00 |

The best improvement in the objective function value is observed for the P01 problem. $(34,62 \%)$ Compared to the first solution, a better solution was obtained with 446 less costs. Then, the best improvement over the first solution is the problem P013 with $30,31 \%$ less costs, P07 with $28,57 \%$ less costs, P016 with $24,04 \%$ less costs, and P019 with $21,21 \%$ less costs. The comparison of the first solution and the best results is given in Figure 5.


Figure 5: Comparison of Initial Solution and Best Solution

We run the same algorithm with the best combinations by neglecting the service time. The results are given in Appendix 19-23. Table 15 represents the results for three runs of five test problems. The service time constraint complicates the problem more difficult. Therefore, the results of the problem solved by ignoring the service time are better.

Our algorithm yielded the best results for the P01 problem. The P019 problem is the one in which the proposed algorithm gives the farthest result. The number of schools directly affects the size of the problem and is very effective on the distances obtained in the solution.

Table 15: Results for Three Runs with Best Parameter Set by Neglecting the Service Time

|  |  | Run 1 |  |  | Run 2 |  |  | Run 3 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Problem <br> No | Initial <br> Solution | Obj | CPU (sec.) | Imp <br> $(\%)$ | Obj | CPU <br> (sec.) | Imp <br> $(\%)$ | Obj | CPU <br> (sec.) | Imp <br> $(\%)$ |
| P01_27 | 1092 | 650 | 30,39 | 40,48 | 673 | 7,72 | 38,37 | 658 | 26,32 | 39,74 |
| P07_27 | 3140 | 2148 | 8,22 | 31,59 | 2173 | 8,83 | 30,79 | 2097 | 30,31 | 33,22 |
| P013_27 | 2522 | 1637 | 11,69 | 35,09 | 1655 | 7,27 | 34,38 | 1641 | 19,87 | 34,93 |
| P016_27 | 5232 | 3613 | 13,99 | 30,94 | 3671 | 12,41 | 29,84 | 3690 | 14,29 | 29,47 |
| P019_27 | 6238 | 4569 | 273 | 26,75 | 4632 | 29,97 | 25,75 | 4434 | 97 | 28,92 |

The best improvement in the objective function value is observed for the P01 problem. $(40,48 \%)$ Compared to the first solution, a better solution was obtained with 442 less costs. Then, the best improvement over the first solution is the problem P013 with $35,09 \%$ less costs, P 07 with $33,22 \%$ less costs, P 016 with $30,94 \%$ less costs, and P019 with 29,97\% less costs. The comparison of the first solution and the best results is given in Figure 6.


Figure 6: Comparison of Initial Solution and Best Solution by Neglecting Service Time

## CHAPTER VII

## CONCLUSION AND FUTURE WORKS

The National School Lunch Program is a program that provides free or lowprice meals to students in public primary schools. The school lunch program provides healthy nutrition to students. At the same time, the program aims to prevent unhealthy eating habits that poor students are exposed to more. What motivates us in this study is the benefits of NSLP and the planning of its implementation in Turkey.

In this thesis, we addressed the multi-echelon transportation location and routing problem in designing a school lunch distribution network. The school lunch distribution network consists of three echelons. The first echelon includes farmers. Farmers produce fresh and organic products to meet the nutritional needs of students. While providing healthy nutrition to students, local farmers also are supported. In the second echelon are distribution centers. Distribution centers (DCs) have a certain capacity. DCs act as intermediaries between farmers and food preparation centers. DCs transfer food to food preparation centers (FPCs). In the third echelon are FPCs. The cleaning, cutting, cooking and packaging processes of the products are made in FPCs. Meals are made ready for distribution to schools. Arrival time to school is important, as lunch must be ready at a certain time. Therefore, we have considered the service time.

The problem is first formulated as a mixed integer nonlinear programming model. We create a two-stage process to solve the proposed problem. The first stage introduces a Simulated Annealing method that locates FPCs, assigns schools to FPCs, generates the routes of schools, and determines the demand of FPCs. To find the locations of DCs, and the quantities transferred between FPCs by heterogeneous vehicles, a mixed integer programming model is solved in the second stage. The objective is to minimize the total transportation cost in the network and the fixed cost of distribution and food processing centers. In addition, we aimed to produce tours that delay the arrival time at a school the least by assigning a penalty cost to the objective function for each tour unit time the vehicle exceeds its service time. The effectiveness of the suggested strategy is evaluated on hypothetical problems. In terms of cost and solution quality, computational findings indicate that SA can be regarded as an effective and efficient solution algorithm for tackling the problem.

The proposed solution approach is flexible that can be easily adapted to any networks that include transportation location and routing decisions such as blood supply chain, food supply chain, waste collection, and humanitarian logistics.

As a future study, a multi-objective, a multi-commodity distribution model could be developed. In addition, pick-up and delivery, inventory and time-windows restrictions can be taken into account. Since the model presented in this study is a general framework for designing a school lunch distribution network, applying this model in a real-world scenario and investigating results are recommended for future research.

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## APPENDICES

## Appendix 1: The GAMS Result of P01 Problem

---- 196 VARIABLE m.L = 23158.000 objective
---- 196 VARIABLE w.L if FPC $g$ is assigned to DC r
$1 \quad 2 \quad 4$

1
2
31.000
---- 196 VARIABLE x.L Quantity sent from farmer f to DC r by vehicle type $t$
$\begin{array}{lll}2 & 3 & 4\end{array}$
$2.1 \quad 188.000$
$2.3 \quad 290.000$
$3.2 \quad 299.000$
---- 196 VARIABLE xx.L Quantity sent from DC r to FCP g by vehicle type $k$

24
$1.4 \quad 188.000$
$2.2 \quad 299.000$
$3.1 \quad 290.000$
---- 196 VARIABLE p.L if vehicle $t$ travels from farmer f to DC r
$\begin{array}{lll}2 & 3 & 4\end{array}$
$2.1 \quad 1.000$
2.3
1.000
3.21 .000
---- 196 VARIABLE pp.L if vehicle $k$ travels from DC r to FPC $g$

24
$1.4 \quad 1.000$
2.21 .000
3.1
1.000
---- 196 VARIABLE z.L if DC $r$ is opened
$11.000,21.000, ~ 31.000$

Appendix 2: The GAMS Result of P07 Problem
---- 197 VARIABLE m.L $=2860.000$ objective
---- 197 VARIABLE w.L if FPC $g$ is assigned to DC r

|  | 1 | 2 | 3 | 4 |
| :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |
| 2 | 1.000 |  | 1.000 |  |
| 3 |  | 1.000 |  |  |

--- 197 VARIABLE x.L Quantity sent from farmer f to $\mathbf{D C} \mathbf{r}$ by vehicle type $t$

45
$1.3 \quad 450.000$
$2.2 \quad 450.000$
$2.3 \quad 265.000$
$3.2 \quad 293.000$
---- 197 VARIABLE xx.L Quantity sent from DC r to FCP g by vehicle type $k$

456
$\begin{array}{llr}2.1 & 47.000 & \\ 2.3 & & 350.000 \\ 2.4 & & 346.000 \\ 3.1 & & 337.000\end{array}$

---- 195 VARIABLE m.L $\quad \mathbf{3 8 9 3 0 . 0 0 0}$ objective
---- 195 VARIABLE w.L if FPC $g$ is assigned to DC r

12
31.000
$4 \quad 1.000$
---- 195 VARIABLE x.L Quantity sent from farmer $f$ to $D C r$ by vehicle type t

2
$1.4 \quad 273.000$
2.3159 .000
---- 195 VARIABLE xx.L Quantity sent from DC r to FCP g by vehicle type $k$

12
$3.1 \quad 159.000$
$4.1 \quad 114.000$
$4.2 \quad 159.000$
---- 195 VARIABLE p.L if vehicle $t$ travels from farmer $\mathbf{f}$ to $\mathbf{D C} \mathbf{r}$

2
$1.4 \quad 1.000$
2.31 .000
---- 195 VARIABLE pp.L if vehicle $k$ travels from DC r to FPC g
12
$3.1 \quad 1.000$
$4.1 \quad 1.000$
$4.2 \quad 1.000$
---- 195 VARIABLE z.L if DC $r$ is opened
31.000 , 41.000

Appendix 4: The GAMS Result of P016 Problem
---- 242 VARIABLE m.L $\quad 39756.000$ objective
---- 242 VARIABLE w.L if FPC $g$ is assigned to DC r
$\begin{array}{llll}1 & 2 & 3 & 4\end{array}$

1
1.000
$21.000 \quad 1.000$
$4 \quad 1.000$
---- 242 VARIABLE x.L Quantity sent from farmer $f$ to $D C$ r by vehicle type $t$

15
$2.1 \quad 270.000$
$2.4 \quad 280.000$
3.2314 .000
---- 242 VARIABLE xx.L Quantity sent from DC r to FCP g by vehicle type $k$ 125
1.3
270.000
2.2
284.000
$2.4 \quad 30.000$
4.1
280.000
---- 242 VARIABLE p.L if vehicle $t$ travels from farmer $f$ to $D C r$

|  | 1 | 5 |
| :---: | :---: | :---: |
|  |  |  |
| 2.1 | 1.000 |  |
| 2.4 |  | 1.000 |
| 3.2 |  | 1.000 |

---- 242 VARIABLE pp.L if vehicle $k$ travels from DC r to FPC $g$

125
$1.3 \quad 1.000$
$2.2 \quad 1.000$
$2.4 \quad 1.000$
$4.1 \quad 1.000$
---- 242 VARIABLE z.L if $\mathrm{DC} r$ is opened
$11.000,21.000, ~ 41.000$

Appendix 5: The GAMS Result of P019 Problem


---- 212 VARIABLE z.L if DC $r$ is opened
$11.000,21.000, \quad 31.000, \quad 41.000$

## Appendix 6: Combinations of Parameters for SA

| n=Number of School |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Number of Combination | $\alpha$ | $T_{i}$ | $\mathrm{T}_{\text {min }}$ | Iteration <br> Number |
| 1 | 0.99 | 3 | 0.1 | n |
| 2 | 0.99 | 3 | 0.1 | 5 n |
| 3 | 0.99 | 3 | 0.1 | 10n |
| 4 | 0.99 | 3 | 0.01 | n |
| 5 | 0.99 | 3 | 0.01 | 5 n |
| 6 | 0.99 | 3 | 0.01 | 10 n |
| 7 | 0.99 | 3 | 0.001 | n |
| 8 | 0.99 | 3 | 0.001 | 5 n |
| 9 | 0.99 | 3 | 0.001 | 10n |
| 10 | 0.99 | 5 | 0.1 | n |
| 11 | 0.99 | 5 | 0.1 | 5 n |
| 12 | 0.99 | 5 | 0.1 | 10n |
| 13 | 0.99 | 5 | 0.01 | n |
| 14 | 0.99 | 5 | 0.01 | 5 n |
| 15 | 0.99 | 5 | 0.01 | 10n |
| 16 | 0.99 | 5 | 0.001 | n |
| 17 | 0.99 | 5 | 0.001 | 5 n |
| 18 | 0.99 | 5 | 0.001 | 10n |
| 19 | 0.99 | 7 | 0.1 | n |
| 20 | 0.99 | 7 | 0.1 | 5n |
| 21 | 0.99 | 7 | 0.1 | 10n |
| 22 | 0.99 | 7 | 0.01 | n |
| 23 | 0.99 | 7 | 0.01 | 5 n |
| 24 | 0.99 | 7 | 0.01 | 10 n |
| 25 | 0.99 | 7 | 0.001 | n |
| 26 | 0.99 | 7 | 0.001 | 5 n |
| 27 | 0.99 | 7 | 0.001 | 10n |
| 28 | 0.95 | 3 | 0.1 | n |
| 29 | 0.95 | 3 | 0.1 | 5n |
| 30 | 0.95 | 3 | 0.1 | 10n |
| 31 | 0.95 | 3 | 0.01 | n |
| 32 | 0.95 | 3 | 0.01 | 5 n |
| 33 | 0.95 | 3 | 0.01 | 10n |
| 34 | 0.95 | 3 | 0.001 | n |
| 35 | 0.95 | 3 | 0.001 | 5n |
| 36 | 0.95 | 3 | 0.001 | 10n |
| 37 | 0.95 | 5 | 0.1 | n |
| 38 | 0.95 | 5 | 0.1 | 5 n |
| 39 | 0.95 | 5 | 0.1 | 10n |
| 40 | 0.95 | 5 | 0.01 | n |


| n=Number of School |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Number of Combination | $\alpha$ | $T_{i}$ | $T_{\text {min }}$ | Iteration <br> Number |
| 41 | 0.95 | 5 | 0.01 | 5 n |
| 42 | 0.95 | 5 | 0.01 | 10n |
| 43 | 0.95 | 5 | 0.001 | n |
| 44 | 0.95 | 5 | 0.001 | 5 n |
| 45 | 0.95 | 5 | 0.001 | 10n |
| 46 | 0.95 | 7 | 0.1 | n |
| 47 | 0.95 | 7 | 0.1 | 5 n |
| 48 | 0.95 | 7 | 0.1 | 10n |
| 49 | 0.95 | 7 | 0.01 | n |
| 50 | 0.95 | 7 | 0.01 | 5 n |
| 51 | 0.95 | 7 | 0.01 | 10n |
| 52 | 0.95 | 7 | 0.001 | n |
| 53 | 0.95 | 7 | 0.001 | 5n |
| 54 | 0.95 | 7 | 0.001 | 10n |
| 55 | 0.85 | 3 | 0.1 | n |
| 56 | 0.85 | 3 | 0.1 | 5 n |
| 57 | 0.85 | 3 | 0.1 | 10n |
| 58 | 0.85 | 3 | 0.01 | n |
| 59 | 0.85 | 3 | 0.01 | 5n |
| 60 | 0.85 | 3 | 0.01 | 10 n |
| 61 | 0.85 | 3 | 0.001 | n |
| 62 | 0.85 | 3 | 0.001 | 5 n |
| 63 | 0.85 | 3 | 0.001 | 10n |
| 64 | 0.85 | 5 | 0.1 | n |
| 65 | 0.85 | 5 | 0.1 | 5 n |
| 66 | 0.85 | 5 | 0.1 | 10n |
| 67 | 0.85 | 5 | 0.01 | n |
| 68 | 0.85 | 5 | 0.01 | 5 n |
| 69 | 0.85 | 5 | 0.01 | 10n |
| 70 | 0.85 | 5 | 0.001 | n |
| 71 | 0.85 | 5 | 0.001 | 5 n |
| 72 | 0.85 | 5 | 0.001 | 10 n |
| 73 | 0.85 | 7 | 0.1 | n |
| 74 | 0.85 | 7 | 0.1 | 5n |
| 75 | 0.85 | 7 | 0.1 | 10n |
| 76 | 0.85 | 7 | 0.01 | n |
| 77 | 0.85 | 7 | 0.01 | 5 n |
| 78 | 0.85 | 7 | 0.01 | 10n |
| 79 | 0.85 | 7 | 0.001 | n |
| 80 | 0.85 | 7 | 0.001 | 5 n |
| 81 | 0.85 | 7 | 0.001 | 10 n |

## Appendix 7: Additional Runs to Determine the Best Combinations of

## Parameters

|  |  | Run 1 |  | Run 2 |  | Run 3 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{gathered} \text { Problem } \\ \text { No_Combination } \\ \text { No } \end{gathered}$ | Initial Solution | Obj | $\begin{aligned} & \text { CPU } \\ & \text { (sec.) } \end{aligned}$ | Obj | CPU (sec.) | Obj | $\begin{aligned} & \text { CPU } \\ & \text { (sec.) } \end{aligned}$ |
| P01_6 | 1288 | 868 | 8,42 | 891 | 18,822 | 842 | 35,364 |
| P07_6 | 3357 | 2441 | 21,131 | 2387 | 97 | 2379 | 120 |
| P013_6 | 2643 | 1852 | 5,625 | 1852 | 21,978 | 1874 | 21,712 |
| P016_6 | 5369 | 4085 | 154 | 4162 | 50,297 | 4162 | 55,873 |
| P019_6 | 6414 | 5110 | 28,229 | 5066 | 29,838 | 5056 | 114 |
| P01_9 | 1288 | 857 | 7,531 | 844 | 69 | 854 | 46,428 |
| P07_9 | 3357 | 2387 | 45,74 | 2370 | 358 | 2477 | 16,651 |
| P013_9 | 2643 | 1852 | 21,925 | 1852 | 14,255 | 1848 | 169 |
| P016_9 | 5369 | 4162 | 49,507 | 4120 | 126 | 4108 | 49,858 |
| P019_9 | 6414 | 5139 | 27,11 | 5070 | 21,235 | 5063 | 77 |
| P01_12 | 1288 | 915 | 5,349 | 895 | 3,648 | 871 | 7,36 |
| P07_12 | 3357 | 2521 | 16,952 | 2521 | 29,59 | 2533 | 3,66 |
| P013_12 | 2643 | 1869 | 105 | 1852 | 8,905 | 1872 | 5,407 |
| P016_12 | 5369 | 4160 | 32,322 | 4171 | 17,533 | 4104 | 36,781 |
| P019_12 | 6414 | 5124 | 16,358 | 5075 | 11,973 | 5106 | 68 |
| P01_15 | 1288 | 924 | 2,522 | 923 | 3,28 | 879 | 10,534 |
| P07_15 | 3357 | 2391 | 60 | 2451 | 16,617 | 2509 | 10,801 |
| P013_15 | 2643 | 1854 | 13,271 | 1852 | 104 | 1852 | 68 |
| P016_15 | 5369 | 4170 | 13,464 | 4120 | 45,139 | 4120 | 15,885 |
| P019_15 | 6414 | 5118 | 14,832 | 5108 | 26,99 | 5054 | 134 |
| P01_27 | 1288 | 842 | 3,326 | 878 | 47,525 | 866 | 6,375 |
| P07_27 | 3357 | 2511 | 16,654 | 2518 | 13,752 | 2398 | 240 |
| P013_27 | 2643 | 1886 | 4,925 | 1878 | 8,885 | 1842 | 29,566 |
| P016_27 | 5369 | 4078 | 87 | 4089 | 55,547 | 4134 | 12,545 |
| P019_27 | 6414 | 5054 | 160 | 5054 | 258 | 5067 | 24,642 |
| P01_33 | 1288 | 904 | 7,138 | 862 | 4,061 | 895 | 5,558 |
| P07_33 | 3357 | 2387 | 67 | 2415 | 49,791 | 2389 | 47,768 |
| P013_33 | 2643 | 1869 | 34,696 | 1849 | 37,029 | 1852 | 24,146 |
| P016_33 | 5369 | 4080 | 64 | 4146 | 51347 | 4121 | 18,674 |
| P019_33 | 6414 | 5061 | 114 | 5097 | 60 | 5075 | 13,129 |
| P01_42 | 1288 | 925 | 0,57 | 917 | 0,456 | 860 | 6,682 |
| P07_42 | 3357 | 2524 | 3,909 | 2391 | 59,395 | 2520 | 3,507 |
| P013_42 | 2643 | 1848 | 37,995 | 1871 | 5,838 | 1842 | 5,23 |
| P016_42 | 5369 | 4096 | 64 | 4119 | 32,404 | 4147 | 33,746 |
| P019_42 | 6414 | 5066 | 9,647 | 5099 | 19,365 | 5124 | 3,786 |

Appendix 8: P01 Problem Solutions for Different Combinations of Parameters

| Initial Solution $=1288$ |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Run 1 |  | Run 2 |  | Run 3 |  |
| Problem <br> No | Obj | CPU <br> (sec.) | Obj | CPU <br> (sec.) | Obj | CPU <br> (sec.) |
| P01_1 | 932 | 2,622 | 924 | 2,358 | 920 | 2,745 |
| P01_2 | 911 | 2,235 | 922 | 9,998 | 887 | 9,344 |
| P01_3 | 861 | 15,635 | 912 | 4,261 | 895 | 3,34 |
| P01_4 | 932 | 5,136 | 932 | 4,32 | 932 | 4,045 |
| P01_5 | 879 | 14,038 | 919 | 3,154 | 920 | 3,515 |
| P01_6 | 868 | 9,636 | 871 | 12,874 | 905 | 3,165 |
| P01_7 | 921 | 4,905 | 932 | 5,728 | 918 | 4,632 |
| P01_8 | 922 | 2,593 | 876 | 21,845 | 901 | 19,073 |
| P01_9 | 858 | 45,768 | $\mathbf{8 4 4}$ | 28,725 | 868 | 10,007 |
| P01_10 | 907 | 3,34 | 920 | 3,22 | 932 | 3,524 |
| P01_11 | 928 | 4,737 | 897 | 15,292 | 893 | 14,744 |
| P01_12 | 876 | 20,075 | 846 | 13,251 | 906 | 2,278 |
| P01_13 | 932 | 4,929 | 932 | 7,531 | 926 | 4,551 |
| P01_14 | 920 | 7,461 | 928 | 3,247 | 926 | 2,832 |
| P01_15 | 858 | 33,688 | $\mathbf{8 4 4}$ | 19,665 | 872 | 32,525 |
| P01_16 | 925 | 8,294 | 925 | 6,678 | 908 | 5,007 |
| P01_17 | 867 | 20,957 | 924 | 3,042 | 882 | 19,076 |
| P01_18 | 929 | 3,262 | 856 | 40,341 | 858 | 47,176 |
| P01_19 | 927 | 3,444 | 929 | 2,932 | 919 | 3,351 |
| P01_20 | 923 | 3,1 | 882 | 3,603 | 880 | 10,983 |
| P01_21 | 908 | 3,682 | 883 | 3,042 | 895 | 3,789 |
| P01_22 | 910 | 3,575 | 925 | 6,353 | 908 | 5,418 |
| P01_23 | 860 | 10,27 | 902 | 23,246 | 911 | 3,464 |
| P01_24 | 882 | 24,009 | 917 | 4,454 | 921 | 3,942 |
| P01_25 | 932 | 8,333 | 909 | 6,731 | 924 | 5,457 |
| P01_26 | 901 | 2,38 | 898 | 24,037 | 904 | 3,868 |
| P01_27 | 868 | 44,194 | 917 | 5,308 | 889 | 5,688 |
| P01_28 | 932 | 0,35 | 932 | 0,1 | 916 | 0,45 |
| P01_29 | 906 | 0,85 | 929 | 0,3 | 912 | 2,888 |
| P01_30 | 867 | 3,903 | 915 | 2,8 | 906 | 3,853 |
| P01_31 | 932 | 2,85 | 932 | 1,24 | 929 | 3,645 |
| P01_32 | 896 | 3,461 | 889 | 3,717 | 911 | 2,844 |
| P01_33 | 873 | 5,848 | 870 | 7,129 | 881 | 2,889 |
| P01_34 | 914 | 0,38 | 925 | 0,25 | 932 | 0,67 |
| P01_35 | 916 | 5,231 | 895 | 4,093 | 918 | 4,65 |
| P01_36 | 853 | 8,181 | 887 | 7,002 | 900 | 8,268 |
| P01_37 | 919 | 0,56 | 916 | 0,45 | 932 | 0,67 |
| P01_38 | 918 | 0,78 | 932 | 0,39 | 905 | 2,583 |
| P01_39 | 908 | 1,606 | 870 | 3,233 | 887 | 2,374 |
| P01_40 | 932 | 0,689 | 932 | 0,68 | 932 | 0,92 |
| P01_41 | 911 | 3,363 | 923 | 3,186 | 916 | 4,474 |
| P01_42 | 880 | 4,312 | 880 | 6,074 | 869 | 6,457 |
| P01_43 | 932 | 1,25 | 916 | 3,465 | 932 | 2,073 |
| P01_44 | 931 | 2,57 | 932 | 2,892 | 923 | 4,276 |
| P01_45 | 901 | 3,444 | 875 | 10,009 | 904 | 2,747 |
| P01_46 | 921 | 2,689 | 932 | 3,388 | 932 | 2,223 |
|  |  |  | 71 |  |  |  |


| P01_47 | 913 | 2,345 | 893 | 5,33 | 932 | 2,398 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| P01_48 | 882 | 5,025 | 913 | 3,507 | 868 | 3,754 |
| P01_49 | 932 | 3,57 | 921 | 5,33 | 932 | 3,558 |
| P01_50 | 932 | 2,484 | 894 | 3,795 | 908 | 4,27 |
| P01_51 | 893 | 2,794 | 881 | 1,423 | 870 | 2,999 |
| P01_52 | 932 | 2,349 | 931 | 2,449 | 929 | 1,274 |
| P01_53 | 918 | 2,367 | 896 | 1,267 | 921 | 1,253 |
| P01_54 | 898 | 1,959 | 896 | 2,146 | 925 | 3,833 |
| P01_55 | 932 | 1,356 | 927 | 1,267 | 932 | 1,263 |
| P01_56 | 917 | 1,234 | 912 | 2,127 | 928 | 1,267 |
| P01_57 | 901 | 1,27 | 894 | 2,58 | 929 | 2,287 |
| P01_58 | 923 | 2,288 | 925 | 1,289 | 914 | 1,299 |
| P01_59 | 925 | 2,11 | 914 | 2,27 | 1098 | 2,67 |
| P01_60 | 964 | 2,16 | 1045 | 1,278 | 868 | 2,208 |
| P01_61 | 929 | 2,118 | 932 | 2,38 | 932 | 1,192 |
| P01_62 | 909 | 1,278 | 916 | 1,907 | 932 | 2,217 |
| P01_63 | 891 | 1,927 | 910 | 2,684 | 888 | 3,349 |
| P01_64 | 932 | 1,278 | 932 | 1,48 | 927 | 1,268 |
| P01_65 | 926 | 1,269 | 932 | 1,87 | 895 | 2,68 |
| P01_66 | 922 | 1,58 | 900 | 1,768 | 903 | 1,289 |
| P01_67 | 932 | 1,298 | 931 | 1,673 | 932 | 1,173 |
| P01_68 | 901 | 1,137 | 927 | 1,22 | 932 | 1,123 |
| P01_69 | 911 | 2,199 | 919 | 2,218 | 888 | 2,523 |
| P01_70 | 932 | 1,223 | 932 | 1,112 | 924 | 1,45 |
| P01_71 | 927 | 2,219 | 918 | 1,28 | 928 | 1,835 |
| P01_72 | 909 | 3,617 | 909 | 1,28 | 900 | 3,483 |
| P01_73 | 932 | 1,22 | 932 | 1,112 | 932 | 1,126 |
| P01_74 | 931 | 0,94 | 913 | 1,2 | 911 | 0,83 |
| P01_75 | 907 | 1,137 | 932 | 1,134 | 888 | 1,23 |
| P01_76 | 932 | 1,12 | 932 | 1,45 | 932 | 1,32 |
| P01_77 | 914 | 1,189 | 926 | 0,37 | 932 | 0,95 |
| P01_78 | 925 | 0,56 | 929 | 0,67 | 932 | 0,45 |
| P01_79 | 927 | 0,27 | 930 | 0,273 | 932 | 0,458 |
| P01_80 | 930 | 0,83 | 913 | 1,44 | 930 | 2,111 |
| P01_81 | 871 | 3,896 | 916 | 0,56 | 863 | 3,065 |

Appendix 9: P07 Problem Solutions for Different Combinations of Parameters

| Initial $=3357$ |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Run 1 |  | Run 2 |  | Run 3 |  |
| $\begin{aligned} & \hline \text { Problem } \\ & \text { No } \end{aligned}$ | Obj | $\begin{aligned} & \hline \text { CPU } \\ & \text { (sec.) } \\ & \hline \end{aligned}$ | Obj | $\begin{aligned} & \hline \text { CPU } \\ & \text { (sec.) } \end{aligned}$ | Obj | $\begin{aligned} & \hline \text { CPU } \\ & \text { (sec.) } \\ & \hline \end{aligned}$ |
| P07_1 | 2539 | 6,563 | 2509 | 19,78 | 2516 | 20,123 |
| P07_2 | 2459 | 17,549 | 2523 | 3,055 | 2519 | 5,369 |
| P07_3 | 2407 | 19,64 | 2525 | 7,291 | 2431 | 20,586 |
| P07_4 | 2544 | 2,154 | 2540 | 4,156 | 2526 | 12,593 |
| P07_5 | 2537 | 3,44 | 2470 | 7 | 2463 | 17,217 |
| P07_6 | 2359 | 68 | 2524 | 9,016 | 2411 | 38,055 |
| P07_7 | 2496 | 39,487 | 2537 | 3,596 | 2512 | 30,207 |
| P07_8 | 2491 | 7,861 | 2367 | 63 | 2390 | 86 |
| P07_9 | 2390 | 144 | 2383 | 77 | 2409 | 20,798 |
| P07_10 | 2519 | 19,068 | 2550 | 3,721 | 2522 | 19,243 |
| P07_11 | 2538 | 6,931 | 2491 | 13,999 | 2545 | 3,14 |
| P07_12 | 2487 | 12,775 | 2457 | 7,014 | 2474 | 9,928 |
| P07_13 | 2526 | 8,549 | 2517 | 27,988 | 2514 | 9,698 |
| P07_14 | 2430 | 47,982 | 2480 | 13,897 | 2522 | 5,662 |
| P07_15 | 2435 | 82 | 2537 | 8,831 | 2381 | 146 |
| P07_16 | 2493 | 38,528 | 2546 | 2,886 | 2491 | 33,184 |
| P07_17 | 2550 | 5,293 | 2514 | 5,353 | 2381 | 144 |
| P07_18 | 2550 | 12,468 | 2382 | 88 | 2484 | 14,402 |
| P07_19 | 2368 | 146 | 2535 | 11,054 | 2386 | 77 |
| P07_20 | 2529 | 17,295 | 2549 | 3,151 | 2550 | 2,962 |
| P07_21 | 2526 | 6,359 | 2521 | 4,627 | 2453 | 32,004 |
| P07_22 | 2532 | 4,566 | 2527 | 5,542 | 2532 | 8,176 |
| P07_23 | 2550 | 2,099 | 2483 | 31,773 | 2544 | 5,541 |
| P07_24 | 2550 | 5,103 | 2521 | 5,58 | 2524 | 8,569 |
| P07_25 | 2543 | 9,812 | 2550 | 25,642 | 2550 | 10,236 |
| P07_26 | 2388 | 158 | 2507 | 7,827 | 2529 | 6,329 |
| P07_27 | 2541 | 3,005 | 2527 | 3,113 | 2544 | 4,163 |
| P07_28 | 2515 | 9,541 | 2491 | 9,296 | 2495 | 1,776 |
| P07_29 | 2409 | 19,256 | 2409 | 22,53 | 2387 | 20,802 |
| P07_30 | 2386 | 13,763 | 2411 | 23,157 | 2392 | 19,693 |
| P07_31 | 2526 | 4,918 | 2532 | 4,45 | 2520 | 5,058 |
| P07_32 | 2447 | 5,898 | 2445 | 27,609 | 2446 | 22,88 |
| P07_33 | 2492 | 6,918 | 2487 | 3,22 | 2469 | 4,336 |
| P07_34 | 2530 | 6,633 | 2536 | 9,069 | 2550 | 7,059 |
| P07_35 | 2492 | 6,946 | 2525 | 2,668 | 2429 | 34,964 |
| P07_36 | 2427 | 11,661 | 2460 | 5,563 | 2516 | 3,108 |
| P07_37 | 2521 | 4,242 | 2532 | 4,533 | 2548 | 4,274 |
| P07_38 | 2531 | 2,156 | 2463 | 15,328 | 2470 | 15,77 |
| P07_39 | 2447 | 13,128 | 2445 | 3,201 | 2436 | 7,564 |
| P07_40 | 2538 | 5,95 | 2545 | 5,273 | 2545 | 7,479 |
| P07_41 | 2498 | 9,345 | 2407 | 23,621 | 2454 | 20,192 |
| P07_42 | 2374 | 28,916 | 2378 | 29,272 | 2379 | 53,396 |
| P07_43 | 2520 | 2,712 | 2529 | 8,08 | 2528 | 9,574 |


| P07_44 | 2492 | 11,421 | 2446 | 38,302 | 2501 | 3,291 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| P07_45 | 2397 | 46,635 | 2497 | 7,418 | 2391 | 55,515 |
| P07_46 | 2519 | 4,457 | 2535 | 4,524 | 2541 | 4,599 |
| P07_47 | 2497 | 9,511 | 2449 | 18,114 | 2457 | 18,011 |
| P07_48 | 2459 | 13,016 | 2435 | 11,782 | 2513 | 4,348 |
| P07_49 | 2538 | 6,504 | 2533 | 5,646 | 2538 | 6,284 |
| P07_50 | 2494 | 4,232 | 2517 | 4,259 | 2530 | 1,978 |
| P07_51 | 2508 | 4,889 | 2495 | 3,117 | 2477 | 6,967 |
| P07_52 | 2511 | 8,252 | 2531 | 8,517 | 2533 | 7,664 |
| P07_53 | 2516 | 3,031 | 2467 | 8,316 | 2516 | 5,505 |
| P07_54 | 2390 | 38,739 | 2531 | 2,016 | 2536 | 4,851 |
| P07_55 | 2549 | 1,35 | 2546 | 2,13 | 2538 | 1,24 |
| P07_56 | 2537 | 1,24 | 2545 | 1,78 | 2457 | 3,946 |
| P07_57 | 2466 | 8,036 | 2468 | 8,222 | 2427 | 10,93 |
| P07_58 | 2546 | 1,26 | 2546 | 1,492 | 2538 | 1,706 |
| P07_59 | 2483 | 10,965 | 2461 | 8,562 | 2480 | 9,637 |
| P07_60 | 2449 | 16,835 | 2465 | 16,082 | 2403 | 24,078 |
| P07_61 | 2548 | 2,566 | 2549 | 2,478 | 2536 | 2,966 |
| P07_62 | 2474 | 9,678 | 2497 | 12,401 | 2464 | 9,811 |
| P07_63 | 2436 | 20,182 | 2401 | 24,646 | 2391 | 25,861 |
| P07_64 | 2540 | 1,32 | 2550 | 1,34 | 2546 | 1,56 |
| P07_65 | 2524 | 1,25 | 2519 | 5,449 | 2535 | 1,21 |
| P07_66 | 2525 | 1,367 | 2462 | 7,04 | 2432 | 10,913 |
| P07_67 | 2550 | 1,353 | 2544 | 1,25 | 2533 | 1,265 |
| P07_68 | 2487 | 8,47 | 2519 | 9,684 | 2480 | 10,796 |
| P07_69 | 2413 | 18,567 | 2471 | 12,107 | 2414 | 21,782 |
| P07_70 | 2531 | 3,218 | 2541 | 2,6 | 2550 | 2,752 |
| P07_71 | 2514 | 2,831 | 2481 | 11,442 | 2449 | 12,293 |
| P07_72 | 2394 | 26,749 | 2471 | 11,132 | 2425 | 13,439 |
| P07_73 | 2538 | 1,23 | 2544 | 1,111 | 2543 | 1,18 |
| P07_74 | 2503 | 4,814 | 2496 | 5,313 | 2543 | 1,56 |
| P07_75 | 2453 | 9,71 | 2433 | 9,679 | 2450 | 9,481 |
| P07_76 | 2536 | 1,695 | 2544 | 2,362 | 2545 | 2,117 |
| P07_77 | 2515 | 3,236 | 2469 | 9,582 | 2527 | 1,322 |
| P07_78 | 2526 | 1,12 | 2443 | 13,884 | 2482 | 6,75 |
| P07_79 | 2530 | 2,765 | 2521 | 2,559 | 2545 | 3,035 |
| P07_80 | 2454 | 12,078 | 2521 | 2,658 | 2485 | 10,633 |
| P07_81 | 2449 | 7,733 | 2466 | 3,938 | 2404 | 20,669 |
|  |  |  |  |  |  |  |

Appendix 10: P013 Problem Solutions for Different Combinations of
Parameters

| Initial Solution $=2643$ |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Run 1 |  | Run 2 |  | Run 3 |  |
| Problem <br> No | Obj | CPU <br> (sec.) | Obj | CPU <br> (sec.) | Obj | CPU <br> (sec.) |
| P013_1 | 1872 | 11,77 | 1869 | 8,87 | 1886 | 8,069 |
| P013_2 | 1869 | 19,706 | 1872 | 38,128 | 1872 | 39,858 |
| P013_3 | 1872 | 31,681 | 1849 | 35,107 | 1853 | 29,69 |
| P013_4 | 1886 | 12,228 | 1872 | 11,168 | 1872 | 13,09 |
| P013_5 | 1872 | 64 | 1852 | 44,119 | 1849 | 68 |
| P013_6 | 1858 | 8,749 | 1872 | 39,442 | 1872 | 16,395 |
| P013_7 | 1869 | 16,298 | 1872 | 16,516 | 1872 | 18,268 |
| P013_8 | 1869 | 97 | 1851 | 47,22 | 1858 | 31,538 |
| P013_9 | 1872 | 21,1 | 1869 | 134 | 1872 | 18,54 |
| P013_10 | 1886 | 8,879 | 1869 | 10,934 | 1872 | 10,772 |
| P013_11 | 1852 | 16,277 | 1884 | 10,899 | 1872 | 16,123 |
| P013_12 | 1854 | 12,177 | 1854 | 11,773 | 1874 | 8,328 |
| P013_13 | 1886 | 14,192 | 1872 | 17,156 | 1852 | 18,142 |
| P013_14 | 1852 | 67 | 1872 | 55,875 | 1872 | 48,379 |
| P013_15 | 1852 | 92 | 1869 | 102 | 1869 | 79 |
| P013_16 | 1872 | 21,605 | 1886 | 20,953 | 1886 | 22,09 |
| P013_17 | 1854 | 99 | 1869 | 67 | 1869 | 85 |
| P013_18 | 1872 | 251 | 1872 | 25,549 | 1848 | 184 |
| P013_19 | 1886 | 11,768 | 1872 | 11,199 | 1869 | 10,553 |
| P013_20 | 1852 | 12,81 | 1874 | 13,822 | 1869 | 15,061 |
| P013_21 | 1872 | 76 | 1846 | 25,221 | 1876 | 20,229 |
| P013_22 | 1872 | 17,32 | 1872 | 20,937 | 1886 | 18,586 |
| P013_23 | 1869 | 33,406 | 1852 | 47,888 | 1879 | 18,538 |
| P013_24 | 1872 | 15,603 | 1886 | 6,566 | 1872 | 10,349 |
| P013_25 | 1872 | 22,222 | 1869 | 19,762 | 1872 | 24,544 |
| P013_26 | 1853 | 7,922 | 1872 | 81 | 1872 | 96 |
| P013_27 | 1872 | 12,052 | 1852 | 32,259 | 1869 | 14,388 |
| P013_28 | 1886 | 2,052 | 1886 | 2,346 | 1886 | 2,276 |
| P013_29 | 1872 | 3,328 | 1872 | 10,006 | 1872 | 9,568 |
| P013_30 | 1852 | 17,54 | 1852 | 19,802 | 1872 | 15,193 |
| P013_31 | 1886 | 3,292 | 1869 | 3,553 | 1886 | 3,316 |
| P013_32 | 1872 | 3,544 | 1869 | 15,876 | 1886 | 3,904 |
| P013_33 | 1852 | 31,071 | 1869 | 5,479 | 1872 | 29,474 |
| P013_34 | 1886 | 4,683 | 1869 | 4,472 | 1886 | 4,964 |
| P013_35 | 1872 | 22,109 | 1869 | 21,714 | 1872 | 23,303 |
| P013_36 | 1854 | 6,558 | 1858 | 24,145 | 1869 | 6,923 |
| P013_37 | 1886 | 2,383 | 1886 | 2,674 | 1886 | 2,514 |
| P013_38 | 1872 | 10,977 | 1853 | 9,902 | 1886 | 4,494 |
| P013_39 | 1872 | 4,317 | 1872 | 18,53 | 1852 | 25,448 |
| P013_40 | 1886 | 3,474 | 1886 | 3,701 | 1886 | 3,949 |
| P013_41 | 1872 | 17,791 | 1872 | 10,32 | 1852 | 17,098 |
| P013_42 | 1849 | 28,313 | 1867 | 3,461 | $\mathbf{1 8 4 2}$ | 14,194 |


| P013_43 | 1886 | 4,881 | 1886 | 4,813 | 1886 | 5,206 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| P013_44 | 1872 | 22,562 | 1872 | 17,469 | 1872 | 24,033 |
| P013_45 | 1852 | 10,979 | 1872 | 37,015 | 1872 | 6,195 |
| P013_46 | 1886 | 2,48 | 1886 | 2,935 | 1886 | 2,751 |
| P013_47 | 1886 | 2,405 | 1874 | 11,129 | 1872 | 3,96 |
| P013_48 | 1872 | 5,565 | 1872 | 18,938 | 1875 | 3,824 |
| P013_49 | 1886 | 3,817 | 1886 | 3,963 | 1886 | 4,054 |
| P013_50 | 1878 | 5,621 | 1872 | 12,779 | 1872 | 14,457 |
| P013_51 | 1872 | 16,771 | 1871 | 6,612 | 1872 | 29,028 |
| P013_52 | 1886 | 4,714 | 1886 | 5,052 | 1886 | 4,337 |
| P013_53 | 1871 | 19,706 | 1886 | 3,877 | 1852 | 24,543 |
| P013_54 | 1870 | 38,595 | 1874 | 8,428 | 1880 | 4,59 |
| P013_55 | 1886 | 1 | 1886 | 1 | 1886 | 1 |
| P013_56 | 1872 | 3,382 | 1886 | 4,356 | 1886 | 4,418 |
| P013_57 | 1872 | 5,542 | 1872 | 2,355 | 1872 | 3,387 |
| P013_58 | 1886 | 1 | 1886 | 1 | 1886 | 1 |
| P013_59 | 1874 | 4,803 | 1872 | 5,535 | 1872 | 5,978 |
| P013_60 | 1852 | 10,253 | 1872 | 10,652 | 1868 | 8,835 |
| P013_61 | 1886 | 1 | 1886 | 1 | 1886 | 1 |
| P013_62 | 1886 | 1 | 1869 | 7,699 | 1852 | 8,104 |
| P013_63 | 1849 | 14,768 | 1849 | 16,083 | 1865 | 14,397 |
| P013_64 | 1886 | 1 | 1886 | 1 | 1886 | 1 |
| P013_65 | 1865 | 3,91 | 1886 | 4,047 | 1869 | 4,09 |
| P013_66 | 1872 | 7,376 | 1872 | 7,719 | 1886 | 1 |
| P013_67 | 1886 | 1 | 1886 | 1 | 1886 | 1 |
| P013_68 | 1869 | 5,704 | 1865 | 5,503 | 1869 | 5,908 |
| P013_69 | 1872 | 11,038 | 1872 | 11,956 | 1872 | 11,804 |
| P013_70 | 1886 | 1 | 1869 | 1 | 1886 | 1 |
| P013_71 | 1872 | 7,345 | 1872 | 8,1 | 1872 | 8,615 |
| P013_72 | 1852 | 2,533 | 1853 | 17,399 | 1871 | 10,914 |
| P013_73 | 1886 | 1 | 1886 | 1 | 1869 | 1 |
| P013_74 | 1872 | 1 | 1872 | 4,19 | 1886 | 1 |
| P013_75 | 1869 | 1 | 1871 | 1,867 | 1886 | 1,799 |
| P013_76 | 1886 | 1 | 1886 | 1 | 1886 | 1 |
| P013_77 | 1886 | 1 | 1886 | 1 | 1886 | 1 |
| P013_78 | 1875 | 1 | 1872 | 10,896 | 1886 | 3,31 |
| P013_79 | 1886 | 1 | 1886 | 1 | 1886 | 1 |
| P013_80 | 1872 | 6,154 | 1872 | 6,404 | 1869 | 8,012 |
| P013_81 | 1869 | 1,843 | 1872 | 11,27 | 1852 | 3,293 |

Appendix 11: P016 Problem Solutions for Different Combinations of
Parameters

| Initial Solution= 5369 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Run 1 |  | Run 2 |  | Run 3 |  |
| Problem <br> No | Obj | CPU <br> (sec.) | Obj | CPU <br> (sec.) | Obj | CPU <br> (sec.) |
| P016_1 | 4176 | 23,785 | 4176 | 26 | 4162 | 26,993 |
| P016_2 | 4120 | 16,112 | 4120 | 33,092 | 4146 | 33,274 |
| P016_3 | 4123 | 73 | 4122 | 16,959 | 4111 | 19,502 |
| P016_4 | 4160 | 46,012 | 4155 | 47,228 | 4176 | 48,384 |
| P016_5 | 4078 | 176 | 4113 | 30,187 | 4134 | 10,482 |
| P016_6 | 4112 | 40,682 | 4168 | 15,017 | 4113 | 65 |
| P016_7 | 4120 | 66 | 4113 | 67 | 4134 | 68 |
| P016_8 | 4162 | 12,95 | 4120 | 17,372 | 4108 | 216 |
| P016_9 | 4075 | 279 | 4086 | 60 | 4162 | 27,048 |
| P016_10 | 4176 | 4,636 | 4176 | 33,765 | 4162 | 31,756 |
| P016_11 | 4146 | 8 | 4113 | 87 | 4176 | 8,084 |
| P016_12 | 4162 | 8,134 | 4155 | 12,256 | 4178 | 9,154 |
| P016_13 | 4162 | 59,448 | 4162 | 52,457 | 4162 | 79 |
| P016_14 | 4178 | 7,555 | 4169 | 8,467 | 4120 | 19,923 |
| P016_15 | 4118 | 71 | 4120 | 17,215 | 4162 | 27,434 |
| P016_16 | 4162 | 83 | 4155 | 21,502 | 4162 | 110 |
| P016_17 | 4090 | 70 | 4150 | 173 | 4162 | 15,675 |
| P016_18 | 4081 | 91 | 4162 | 24,321 | 4176 | 19,424 |
| P016_19 | 4362 | 2,556 | 4176 | 7,258 | 4176 | 15,063 |
| P016_20 | 4162 | 12,263 | 4199 | 13,071 | 4176 | 7,933 |
| P016_21 | 4085 | 102 | 4186 | 8,253 | 4176 | 21,704 |
| P016_22 | 4176 | 61 | 4162 | 54,481 | 4169 | 53,566 |
| P016_23 | 4176 | 12,101 | 4156 | 90 | 4172 | 9,608 |
| P016_24 | 4170 | 19,275 | 4120 | 37,059 | 4078 | 245 |
| P016_25 | 4176 | 20,617 | 4174 | 34,775 | 4120 | 75 |
| P016_26 | 4125 | 130 | 4120 | 15,115 | 4113 | 43,568 |
| P016_27 | 4116 | 41,404 | 4108 | 228 | 4176 | 17,243 |
| P016_28 | 4162 | 7,955 | 4176 | 6,136 | 4182 | 6,514 |
| P016_29 | 4113 | 28,384 | 4162 | 27,95 | 4155 | 4,186 |
| P016_30 | 4162 | 4,524 | 4090 | 31,656 | 4078 | 57,157 |
| P016_31 | 4176 | 9,454 | 4182 | 10,165 | 4176 | 9,376 |
| P016_32 | 4113 | 31,569 | 4134 | 4,069 | 4162 | 6,125 |
| P016_33 | 4155 | 13,707 | 4120 | 15,353 | 4162 | 3,089 |
| P016_34 | 4176 | 14,588 | 4176 | 12,491 | 4162 | 13,98 |
| P016_35 | 4120 | 82 | 4117 | 65 | 4088 | 68 |
| P016_36 | 4164 | 8,704 | 4120 | 134 | 4162 | 13,352 |
| P016_37 | 4176 | 6,441 | 4176 | 6,512 | 4176 | 7,013 |
| P016_38 | 4176 | 6,902 | 4127 | 30,837 | 4162 | 13,055 |
| P016_39 | 4168 | 5,297 | 4162 | 3,372 | 4162 | 2,644 |
| P016_40 | 4176 | 8,981 | 4162 | 11,084 | 4176 | 10,444 |
| P016_41 | 4176 | 5,781 | 4120 | 39,804 | 4162 | 9,994 |
| P016_42 | 4108 | 93 | 4129 | 61 | 4142 | 7,806 |
|  |  |  |  |  |  |  |


| P016_43 | 4176 | 14,599 | 4176 | 16,364 | 4176 | 15,044 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| P016_44 | 4153 | 68 | 4108 | 70 | 4120 | 48,435 |
| P016_45 | 4170 | 6,764 | 4078 | 98 | 4176 | 5,26 |
| P016_46 | 4200 | 7,583 | 4176 | 7,752 | 4176 | 7,589 |
| P016_47 | 4162 | 3,216 | 4174 | 31,364 | 4134 | 8,943 |
| P016_48 | 4138 | 3,544 | 4190 | 6,315 | 4212 | 2,904 |
| P016_49 | 4176 | 11,227 | 4176 | 11,765 | 4176 | 11,677 |
| P016_50 | 4161 | 3,503 | 4162 | 21,081 | 4176 | 3,59 |
| P016_51 | 4176 | 3,742 | 4120 | 62 | 4176 | 3,195 |
| P016_52 | 4176 | 11,385 | 4162 | 15,015 | 4162 | 15,281 |
| P016_53 | 4176 | 4,957 | 4188 | 4,042 | 4113 | 21,757 |
| P016_54 | 4164 | 5,473 | 4155 | 11,426 | 4079 | 87 |
| P016_55 | 4306 | 1,968 | 4176 | 1,952 | 4176 | 1,876 |
| P016_56 | 4176 | 8,851 | 4162 | 9,661 | 4120 | 6,199 |
| P016_57 | 4162 | 5,31 | 4159 | 19,516 | 4119 | 17,035 |
| P016_58 | 4176 | 3,04 | 4362 | 3,38 | 4176 | 3,709 |
| P016_59 | 4113 | 16,015 | 4155 | 16,231 | 4160 | 16,185 |
| P016_60 | 4144 | 30,575 | 4168 | 2,604 | 4155 | 30,319 |
| P016_61 | 4176 | 4,767 | 4348 | 4,584 | 4362 | 20,707 |
| P016_62 | 4120 | 21,278 | 4146 | 22,005 | 4162 | 11,303 |
| P016_63 | 4129 | 41,05 | 4176 | 4,251 | 4176 | 2,177 |
| P016_64 | 4301 | 2,22 | 4176 | 2,298 | 4176 | 2,459 |
| P016_65 | 4162 | 10,093 | 4176 | 10,099 | 4162 | 10,076 |
| P016_66 | 4176 | 3,172 | 4162 | 19,797 | 4180 | 2,136 |
| P016_67 | 4362 | 3,164 | 4301 | 3,494 | 4176 | 3,636 |
| P016_68 | 4162 | 16,011 | 4120 | 16,054 | 4176 | 16,069 |
| P016_69 | 4162 | 13,04 | 4136 | 3,338 | 4170 | 3,067 |
| P016_70 | 4176 | 4,832 | 4176 | 4,769 | 4176 | 4,969 |
| P016_71 | 4162 | 19,927 | 4120 | 23,199 | 4120 | 23,562 |
| P016_72 | 4170 | 2,415 | 4090 | 29,974 | 4132 | 27,121 |
| P016_73 | 4176 | 2,551 | 4176 | 2,637 | 4176 | 2,192 |
| P016_74 | 4175 | 3,221 | 4176 | 11,832 | 4176 | 4,084 |
| P016_75 | 4170 | 3,152 | 4170 | 3,215 | 4174 | 7,772 |
| P016_76 | 4176 | 4,241 | 4176 | 4,062 | 4176 | 4,391 |
| P016_77 | 4162 | 17,93 | 4182 | 3,332 | 4120 | 18,476 |
| P016_78 | 4155 | 32,423 | 4140 | 2,865 | 4184 | 13,025 |
| P016_79 | 4176 | 5,608 | 4362 | 5,721 | 4176 | 5,277 |
| P016_80 | 4176 | 2,753 | 4162 | 22,805 | 4176 | 20,343 |
| P016_81 | 4120 | 40,497 | 4120 | 14,039 | 4160 | 48,482 |
|  |  |  |  |  |  |  |

Appendix 12: P019 Problem Solutions for Different Combinations of Parameters

| Initial Solution= 6414 |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Run 1 |  | Run 2 |  | Run 3 |  |  |
| Problem <br> No | Obj | CPU <br> (sec.) | Obj | CPU <br> (sec.) | Obj | CPU <br> (sec.) |  |
| P019_1 | 5110 | 24,87 | 5110 | 42,22 | 5124 | 37,518 |  |
| P019_2 | 5106 | 87 | 5105 | 72 | 5058 | 111 |  |
| P019_3 | 5113 | 43,235 | 5124 | 10,688 | 5108 | 20,505 |  |
| P019_4 | 5124 | 44,219 | 5122 | 8,687 | 5075 | 53,437 |  |
| P019_5 | 5066 | 14,534 | 5108 | 67 | 5110 | 6,436 |  |
| P019_6 | $\mathbf{5 0 5 4}$ | 211 | $\mathbf{5 0 5 4}$ | 95 | 5115 | 29,288 |  |
| P019_7 | 5103 | 62 | 5110 | 63 | 5108 | 65 |  |
| P019_8 | 5082 | 14,239 | 5103 | 29,143 | 5056 | 157 |  |
| P019_9 | 5058 | 85 | $\mathbf{5 0 5 4}$ | 237 | 5066 | 44 |  |
| P019_10 | 5124 | 4,757 | 5110 | 35,926 | 5152 | 35,515 |  |
| P019_11 | 5062 | 50,474 | 5139 | 4,342 | 5113 | 29,638 |  |
| P019_12 | 5072 | 13,323 | 5066 | 26,099 | $\mathbf{5 0 5 4}$ | 62 |  |
| P019_13 | 5249 | 7,443 | 5068 | 47,271 | 5124 | 58,413 |  |
| P019_14 | 5101 | 94 | $\mathbf{5 0 5 4}$ | 175 | 5108 | 50,686 |  |
| P019_15 | $\mathbf{5 0 5 4}$ | 104 | 5099 | 54,391 | 5073 | 60 |  |
| P019_16 | 5124 | 70 | 5110 | 73 | 5121 | 71 |  |
| P019_17 | 5097 | 108 | 5107 | 58,568 | 5064 | 60 |  |
| P019_18 | $\mathbf{5 0 5 4}$ | 168 | $\mathbf{5 0 5 4}$ | 353 | 5103 | 24,915 |  |
| P019_19 | 5235 | 4,354 | 5310 | 1,779 | 5115 | 40,026 |  |
| P019_20 | 5126 | 8,071 | 5110 | 9,015 | 5124 | 9,942 |  |
| P019_21 | 5142 | 12,206 | 5138 | 16,868 | 5124 | 13,615 |  |
| P019_22 | 5122 | 13,114 | 5124 | 65 | 5110 | 6,179 |  |
| P019_23 | 5060 | 123 | 5110 | 13,307 | 5113 | 32,887 |  |
| P019_24 | 5123 | 35,364 | 5097 | 131 | 5068 | 21,511 |  |
| P019_25 | 5270 | 3,173 | 5066 | 86 | 5110 | 85 |  |
| P019_26 | 5124 | 11,091 | 5101 | 150 | $\mathbf{5 0 5 4}$ | 366 |  |
| P019_27 | $\mathbf{5 0 5 4}$ | 248 | 5068 | 32,299 | $\mathbf{5 0 5 4}$ | 336 |  |
| P019_28 | 5110 | 7,05 | 5110 | 7,785 | 5124 | 5,155 |  |
| P019_29 | 5128 | 11,768 | 5103 | 6,724 | 5122 | 11,39 |  |
| P019_30 | 5108 | 3,754 | 5061 | 13,832 | 5124 | 4,505 |  |
| P019_31 | 5110 | 12,567 | 5113 | 12,142 | 5110 | 11,872 |  |
| P019_32 | 5108 | 49,688 | 5067 | 11,44 | 5070 | 54,764 |  |
| P019_33 | 5096 | 87 | $\mathbf{5 0 5 4}$ | 108 | 5057 | 47,086 |  |
| P019_34 | 5124 | 16,97 | 5082 | 15,616 | 5124 | 18,009 |  |
| P019_35 | 5124 | 9,731 | 5066 | 76 | 5066 | 78 |  |
| P019_36 | 5066 | 42,15 | 5110 | 13,103 | 5059 | 55,278 |  |
| P019_37 | 5124 | 7,984 | 5110 | 7,286 | 5310 | 7,223 |  |
| P019_38 | 5061 | 35,8 | 5066 | 37,061 | 5066 | 7,154 |  |
| P019_39 | 5136 | 3,356 | 5143 | 6,452 | 5110 | 7,314 |  |
| P019_40 | 5124 | 11,742 | 5124 | 11,588 | 5124 | 11,798 |  |
| P019_41 | 5132 | 2,352 | 5124 | 2,334 | 5124 | 5,4 |  |
|  |  |  |  |  |  |  |  |


| P019_42 | 5122 | 3,945 | 5059 | 18,895 | 5054 | 85 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| P019_43 | 5128 | 17,144 | 5075 | 17,904 | 5108 | 15,397 |
| P019_44 | 5108 | 5,742 | 5066 | 51,067 | 5124 | 3,76 |
| P019_45 | 5136 | 5,389 | $\mathbf{5 0 5 4}$ | 144 | 5056 | 59,507 |
| P019_46 | 5138 | 7,699 | 5110 | 8,87 | 5142 | 7,803 |
| P019_47 | 5140 | 13,689 | 5118 | 4,598 | 5124 | 3,993 |
| P019_48 | 5088 | 4,053 | 5148 | 3,234 | 5137 | 2,086 |
| P019_49 | 5124 | 12,608 | 5124 | 11,446 | 5110 | 14,42 |
| P019_50 | 5126 | 5,82 | 5130 | 6,567 | 5066 | 21,01 |
| P019_51 | 5136 | 5,639 | 5146 | 9,084 | 5108 | 27,294 |
| P019_52 | 5124 | 17,574 | 5124 | 17,477 | 5082 | 18,175 |
| P019_53 | 5124 | 4,13 | 5110 | 5,147 | 5129 | 5,889 |
| P019_54 | 5117 | 8,72 | 5161 | 6,62 | 5124 | 5,153 |
| P019_55 | 5110 | 2,775 | 5124 | 2,765 | 5246 | 2,35 |
| P019_56 | 5124 | 9,766 | 5110 | 5,603 | 5108 | 10,677 |
| P019_57 | 5059 | 22,272 | 5068 | 20,99 | 5106 | 22,644 |
| P019_58 | 5124 | 3,751 | 5310 | 3,733 | 5124 | 4,015 |
| P019_59 | 5061 | 22,639 | 5103 | 18,615 | 5068 | 16,777 |
| P019_60 | 5099 | 33,63 | 5108 | 15,438 | 5068 | 9,705 |
| P019_61 | 5310 | 4,772 | 5075 | 5,179 | 5124 | 5,603 |
| P019_62 | 5122 | 4,731 | 5108 | 26,348 | 5118 | 25,017 |
| P019_63 | 5118 | 31,609 | 5124 | 3,607 | 5064 | 49,019 |
| P019_64 | 5254 | 2,944 | 5310 | 2,938 | 5124 | 2,914 |
| P019_65 | 5068 | 12,791 | 5110 | 12,215 | 5136 | 3,574 |
| P019_66 | 5061 | 25,272 | 5110 | 2,965 | 5105 | 4,573 |
| P019_67 | 5124 | 4,67 | 5308 | 4,53 | 5124 | 4,12 |
| P019_68 | 5066 | 18,832 | 5101 | 24,065 | 5110 | 20,96 |
| P019_69 | 5106 | 38,453 | 5067 | 33,416 | 5064 | 29,657 |
| P019_70 | 5124 | 5,348 | 5124 | 5,557 | 5249 | 5,323 |
| P019_71 | 5112 | 25,083 | 5097 | 25,948 | 5080 | 5,117 |
| P019_72 | 5110 | 5,353 | 5129 | 3,227 | 5100 | 31,791 |
| P019_73 | 5310 | 2,964 | 5124 | 2,327 | 5254 | 2,966 |
| P019_74 | 5078 | 11,769 | 5118 | 12,51 | 5110 | 4,892 |
| P019_75 | 5108 | 23,658 | 5132 | 3,642 | 5124 | 3,412 |
| P019_76 | 5249 | 4,222 | 5310 | 4,08 | 5296 | 4,205 |
| P019_77 | 5115 | 7,944 | 5068 | 18,21 | 5124 | 17,322 |
| P019_78 | 5107 | 8,172 | 5102 | 2,945 | 5162 | 2,339 |
| P019_79 | 5254 | 4,185 | 5249 | 4,177 | 5124 | 4,664 |
| P019_80 | 5061 | 21,095 | 5124 | 5,009 | 5066 | 21,571 |
| P019_81 | 5114 | 39,03 | 5105 | 40,498 | 5062 | 33,348 |
|  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |

## Appendix 13: Solutions Neglecting Service Time Restriction in SA

| Initial Solution= 1092 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Run 1 |  | Run 2 |  | Run 3 |  |
| Problem <br> No | Obj | CPU <br> (sec.) | Obj | CPU <br> (sec.) | Obj | CPU <br> (sec.) |
| P01_6 | 650 | 25,986 | 664 | 5,857 | 677 | 15,344 |
| P01_9 | 650 | 33,482 | 655 | 42,31 | 650 | 41,233 |
| P01_12 | 661 | 12,171 | 689 | 2,521 | 685 | 4,61 |
| P01_15 | 653 | 26,921 | 678 | 24,035 | 653 | 19,883 |
| P01_27 | 650 | 30,392 | 673 | 7,721 | 658 | 26,327 |
| P01_33 | 668 | 7,272 | 667 | 6,44 | 670 | 6,885 |
| P01_42 | 669 | 9,485 | 686 | 3,251 | 673 | 2,335 |


| Initial Solution = 3140 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Run 1 |  | Run 2 |  | Run 3 |  |
| Problem <br> No | Obj | CPU <br> (sec.) | Obj | Problem <br> No | Obj | CPU <br> (sec.) |
| P07_6 | 2251 | 6,779 | 2119 | 109 | 2182 | 23,568 |
| P07_9 | 2148 | 82 | 2107 | 158 | 2170 | 52,876 |
| P07_12 | 2179 | 23,724 | 2148 | 30,377 | 2097 | 82 |
| P07_15 | 2224 | 9,866 | 2114 | 121 | 2245 | 7,066 |
| P07_27 | 2148 | 8,221 | 2173 | 8,836 | 2097 | 30,315 |
| P07_33 | 2188 | 29,469 | 2161 | 39,355 | 2171 | 25,952 |
| P07_42 | 2147 | 13,805 | 2185 | 11,824 | 2164 | 43,521 |


| Initial Solution=2522 |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Run 1 |  | Run 2 |  | Run 3 |  |  |
| $\begin{array}{c}\text { Problem } \\ \text { No }\end{array}$ | Obj |  | $\begin{array}{c}\text { CPU } \\ \text { (sec.) }\end{array}$ | Obj | $\begin{array}{c}\text { Problem } \\ \text { No }\end{array}$ | Obj |  | \(\left.\begin{array}{c}CPU <br>

(sec.)\end{array}\right]\)

| Initial Solution=5232 |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Run 1 |  | Run 2 |  | Run 3 |  |  |
| Problem <br> No | Obj | CPU <br> (sec.) | Obj | Problem <br> No | Obj | CPU <br> (sec.) |  |
| P016_6 | 3693 | 22,012 | 3613 | 49,416 | 3698 | 17,439 |  |
| P016_9 | 3714 | 51,713 | 3691 | 147 | 3679 | 13,173 |  |
| P016_12 | 3646 | 31,998 | 3665 | 33,082 | 3630 | 101 |  |
| P016_15 | 3666 | 89 | 3619 | 131 | 3651 | 51,632 |  |
| P016_27 | 3613 | 13,996 | 3671 | 12,413 | 3690 | 14,294 |  |
| P016_33 | 3707 | 9,681 | 3677 | 4,736 | 3633 | 58,219 |  |
| P016_42 | 3700 | 4,831 | 3671 | 7,322 | 3698 | 5,994 |  |


| Initial Solution=6238 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Run 1 |  | Run 2 |  | Run 3 |  |
| Problem <br> No | Obj | CPU <br> (sec.) | Obj | Problem <br> No | Obj | CPU <br> (sec.) |
| P019_6 | 4434 | 5406 | 4479 | 24,81 | 4441 | 190 |
| P019_9 | 4573 | 26,049 | 4609 | 135 | 4590 | 22,791 |
| P019_12 | 4590 | 14,24 | 4545 | 18,55 | 4456 | 19,503 |
| P019_15 | 4437 | 144 | 4482 | 31,239 | 4575 | 52,077 |
| P019_27 | 4569 | 273 | 4632 | 29,971 | 4434 | 97 |
| P019_33 | 4568 | 75 | 4614 | 53,076 | 4572 | 77 |
| P019_42 | 4631 | 7,892 | 4456 | 9,368 | 4576 | 75 |

